

# An open-source thermodynamic software library

## *Documentation pages for v. 1.1.7*

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### **Abstract**

This document contains documentation of Matlab and C routines in the thermodynamic software library Compute ThermoLib. For Matlab/Mex routines, this documentation is also available by `help <name-of-routine>`. For C routines, the documentation can also be found in the source code files. You may want to consult the official website of Compute ThermoLib for instructions on installation, interfacing with the DIPPR database and brief tutorials illustrating the use of the library functions for selected Matlab and C functions. In general, the Matlab and C interfaces are constructed to be similar which is also reflected by the documentation for each of the routines being close to identical. The key difference is that the C routines expect you as the user to allocate memory, both for the outputs and for an auxiliary array of memory. The C documentation shows how much memory should be allocated.

*Keywords:* Thermodynamic software library, documentation pages, Matlab, C

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## Contents

<b>1</b>	<b>LoadParams (Matlab)</b>	<b>5</b>
<b>2</b>	<b>MixRealHSV (Matlab/Mex)</b>	<b>7</b>
<b>3</b>	<b>MixRealVapHSV (Matlab/Mex)</b>	<b>9</b>
<b>4</b>	<b>MixRealLiqHSV (Matlab/Mex)</b>	<b>11</b>
<b>5</b>	<b>MixResPhHSV (Matlab/Mex)</b>	<b>13</b>
<b>6</b>	<b>MixFug (Matlab/Mex)</b>	<b>16</b>
<b>7</b>	<b>MixSolvePhEoS (Matlab/Mex)</b>	<b>18</b>
<b>8</b>	<b>MixIdHSV (Matlab/Mex)</b>	<b>20</b>
<b>9</b>	<b>MixIdVapHSV (Matlab/Mex)</b>	<b>22</b>
<b>10</b>	<b>MixIdLiqHSV (Matlab/Mex)</b>	<b>24</b>
<b>11</b>	<b>PureRealHSV (Matlab/Mex)</b>	<b>26</b>
<b>12</b>	<b>PureRealVapHSV (Matlab/Mex)</b>	<b>29</b>
<b>13</b>	<b>PureRealLiqHSV (Matlab/Mex)</b>	<b>31</b>
<b>14</b>	<b>PureResHSV (Matlab/Mex)</b>	<b>33</b>
<b>15</b>	<b>PureResPhHSV (Matlab/Mex)</b>	<b>36</b>
<b>16</b>	<b>PureFug (Matlab/Mex)</b>	<b>38</b>
<b>17</b>	<b>PureSolveEoS (Matlab/Mex)</b>	<b>40</b>
<b>18</b>	<b>PureSolvePhEoS (Matlab/Mex)</b>	<b>42</b>
<b>19</b>	<b>PureIdVapHSV (Matlab/Mex)</b>	<b>44</b>
<b>20</b>	<b>PureIdLiqHSV (Matlab/Mex)</b>	<b>46</b>
<b>21</b>	<b>MixParams (Matlab/Mex)</b>	<b>48</b>
<b>22</b>	<b>PureParams (Matlab/Mex)</b>	<b>50</b>
<b>23</b>	<b>SolvePolynomiumCardano (Matlab/Mex)</b>	<b>52</b>
<b>24</b>	<b>SolvePolynomiumNewton (Matlab/Mex)</b>	<b>53</b>
<b>25</b>	<b>IdGasHeatCap (Matlab/Mex)</b>	<b>55</b>

<b>26 IdGasHeatCapInt (Matlab/Mex)</b>	<b>56</b>
<b>27 IdLiqVol (Matlab/Mex)</b>	<b>58</b>
<b>28 IdSatPres (Matlab/Mex)</b>	<b>60</b>
<b>29 LoadParams (C)</b>	<b>62</b>
<b>30 MixRealHSV (C)</b>	<b>63</b>
<b>31 MixRealVapHSV (C)</b>	<b>65</b>
<b>32 MixRealLiqHSV (C)</b>	<b>67</b>
<b>33 MixResPhHSV (C)</b>	<b>69</b>
<b>34 MixSolvePhEoS (C)</b>	<b>71</b>
<b>35 MixIdHSV (C)</b>	<b>73</b>
<b>36 MixIdVapHSV (C)</b>	<b>75</b>
<b>37 MixIdLiqHSV (C)</b>	<b>77</b>
<b>38 PureRealHSV (C)</b>	<b>79</b>
<b>39 PureRealVapHSV (C)</b>	<b>81</b>
<b>40 PureRealLiqHSV (C)</b>	<b>83</b>
<b>41 PureResHSV (C)</b>	<b>85</b>
<b>42 PureResPhHSV (C)</b>	<b>87</b>
<b>43 PureSolveEoS (C)</b>	<b>89</b>
<b>44 PureSolvePhEoS (C)</b>	<b>91</b>
<b>45 PureIdHSV (C)</b>	<b>93</b>
<b>46 PureIdVapHSV (C)</b>	<b>95</b>
<b>47 PureIdLiqHSV (C)</b>	<b>97</b>
<b>48 MixParams (C)</b>	<b>99</b>
<b>49 PureParams (C)</b>	<b>101</b>
<b>50 SolvePolynomiumNewton (C)</b>	<b>102</b>
<b>51 IdGasHeatCap (C)</b>	<b>103</b>

<b>52 IdGasHeatCapInt (C)</b>	<b>104</b>
<b>53 IdLiqVol (C)</b>	<b>105</b>
<b>54 IdSatPres (C)</b>	<b>106</b>

## 1. LoadParams (Matlab)

Load thermodynamic parameters from the DIPPR database into array

### SYNOPSIS:

```
params = LoadDIPPRParameters(comp)
params = LoadDIPPRParameters(comp, EoS)
params = LoadDIPPRParameters(comp, EoS, k)
params = LoadDIPPRParameters(comp, epsilon, sigma, Omega, Psi, m, k)
```

### DESCRIPTION:

Loads thermodynamic and equation of state parameters for the specified components into an array that is used by the thermodynamic routines provided by this library.

### REQUIRED PARAMETERS:

comp - List of component numbers (see <path-to-library>/matlab/data/DataName.m)

### OPTIONAL PARAMETERS:

EoS - String specifying whether to use PR or SRK equation of state (case-insensitive)  
epsilon - Equation of state parameter  
sigma - Equation of state parameter  
Omega - Equation of state parameter  
Psi - Equation of state parameter  
m(omega) - Polynomium evaluated at acentricity factors  
k - Symmetric matrix containing the van der Waals mixing rule parameters

### RETURNS:

params - Vector containing all parameters needed thermodynamic functions

### DEPENDENCIES:

<path-to-library>/matlab/data/DIPPRdata.mat

See also LoadParams

PureRealHSV	MixRealHSV
PureRealVapHSV	MixRealVapHSV
PureRealLiqHSV	MixRealLiqHSV
PureFug	MixFug
PureResHSV	
PureResPhHSV	MixResPhHSV
PureSolveEoS	
PureSolvePhEoS	MixSolvePhEoS
PureRealSatTemp	
PureRealSatPres	
PureEvalEoS	MixEvalEoS
PureIdHSV	MixIdHSV
PureIdVapHSV	MixIdVapHSV

PureIdLiqHSV	MixIdLiqHSV
PureParams	MixParams
PureIdSatTemp	
IdGasHeatCap	
IdGasHeatCapInt	
IdLiqVol	
IdSatPres	
SolvePolynomiumNewton	

## 2. MixRealHSV (Matlab/Mex)

Compute enthalpy, entropy and volume of a real liquid mixture

### SYNOPSIS:

```
[Hv, Sv, Vv, Hl, Sl, Vl, ...  
  dHv, dSv, dVv, dHl, dSl, dVl, ...  
  d2Hv, d2Sv, d2Vv, d2Hl, d2Sl, d2Vl] = ...  
  MixRealHSV(T, P, nv, nl, params, tol, itmax)
```

### DESCRIPTION:

Computes enthalpy, entropy and volume of a real liquid mixture together with first and second order temperature and pressure derivatives. Derivatives are computed based on the number of output arguments.

The output is formatted such that for the first order derivatives

```
Element 1 : temperature derivative  
Element 2 : pressure derivative  
Element 3+: composition derivatives
```

and for the symmetric second order derivatives

```
Element (1, 1) : temperature derivative  
Element (2, 1) : temperature and pressure derivative  
Element (2, 2) : pressure derivative  
Elements (3+, 1) : temperature and composition derivatives  
Elements (3+, 2) : pressure and composition derivatives  
Elements (3+, 3+): composition derivatives
```

### REQUIRED PARAMETERS:

```
T          - Temperature [K]  
P          - Temperature [Pa]  
nv         - mole numbers in vapor phase [kmol]  
nl         - mole numbers in liquid phase [kmol]  
params     - Vector with various parameters obtained by calling  
             LoadParams
```

### OPTIONAL PARAMETERS:

```
tol        - Tolerance for Newton iterations  
itmax      - Maximum number of Newton iterations
```

### RETURNS:

```
Hv         - Enthalpy of vapor phase  
Sv         - Entropy of vapor phase  
Vv         - Volume of vapor phase  
Hl         - Enthalpy of liquid phase
```

S1 - Entropy of liquid phase  
 V1 - Volume of liquid phase  
 dHv - First order derivatives of vapor enthalpy  
 dSv - First order derivatives of vapor entropy  
 dVv - First order derivatives of vapor volume  
 dHl - First order derivatives of liquid enthalpy  
 dSl - First order derivatives of liquid entropy  
 dVl - First order derivatives of liquid volume  
 d2Hv - Second order derivatives of vapor enthalpy  
 d2Sv - Second order derivatives of vapor entropy  
 d2Vv - Second order derivatives of vapor volume  
 d2Hl - Second order derivatives of liquid enthalpy  
 d2Sl - Second order derivatives of liquid entropy  
 d2Vl - Second order derivatives of liquid volume

DEPENDENCIES:

MixIdVapHSV  
 MixResPhHSV

See also LoadParams

PureRealHSV	MixRealHSV
PureRealVapHSV	MixRealVapHSV
PureRealLiqHSV	MixRealLiqHSV
PureFug	MixFug
PureResHSV	
PureResPhHSV	MixResPhHSV
PureSolveEoS	
PureSolvePhEoS	MixSolvePhEoS
PureRealSatTemp	
PureRealSatPres	
PureEvalEoS	MixEvalEoS
PureIdHSV	MixIdHSV
PureIdVapHSV	MixIdVapHSV
PureIdLiqHSV	MixIdLiqHSV
PureParams	MixParams
PureIdSatTemp	
IdGasHeatCap	
IdGasHeatCapInt	
IdLiqVol	
IdSatPres	
SolvePolynomiumNewton	



### 3. MixRealVapHSV (Matlab/Mex)

Compute enthalpy, entropy and volume of a real vapor mixture

#### SYNOPSIS:

```
[Hv, Sv, Vv, ...  
 dHv, dSv, dVv, ...  
 d2Hv, d2Sv, d2Vv] = ...  
 MixRealVapHSV(T, P, nv, params, tol, itmax)
```

#### DESCRIPTION:

Computes enthalpy, entropy and volume of a real vapor mixture together with first and second order temperature and pressure derivatives. Derivatives are computed based on the number of output arguments.

The output is formatted such that for the first order derivatives

```
Element 1 : temperature derivative  
Element 2 : pressure derivative  
Element 3+: composition derivatives
```

and for the symmetric second order derivatives

```
Element (1, 1) : temperature derivative  
Element (2, 1) : temperature and pressure derivative  
Element (2, 2) : pressure derivative  
Elements (3+, 1) : temperature and composition derivatives  
Elements (3+, 2) : pressure and composition derivatives  
Elements (3+, 3+): composition derivatives
```

#### REQUIRED PARAMETERS:

```
T          - Temperature [K]  
P          - Temperature [Pa]  
nv         - mole numbers in vapor phase [kmol]  
params     - Vector with various parameters obtained by calling  
             LoadParams
```

#### OPTIONAL PARAMETERS:

```
tol        - Tolerance for Newton iterations  
itmax      - Maximum number of Newton iterations
```

#### RETURNS:

```
Hv         - Enthalpy of vapor phase  
Sv         - Entropy of vapor phase  
Vv         - Volume of vapor phase  
dHv        - First order derivatives of vapor enthalpy  
dSv        - First order derivatives of vapor entropy
```

dVv - First order derivatives of vapor volume  
 d2Hv - Second order derivatives of vapor enthalpy  
 d2Sv - Second order derivatives of vapor entropy  
 d2Vv - Second order derivatives of vapor volume

DEPENDENCIES:

MixIdVapHSV  
 MixResPhHSV

See also LoadParams

PureRealHSV	MixRealHSV
PureRealVapHSV	MixRealVapHSV
PureRealLiqHSV	MixRealLiqHSV
PureFug	MixFug
PureResHSV	
PureResPhHSV	MixResPhHSV
PureSolveEoS	
PureSolvePhEoS	MixSolvePhEoS
PureRealSatTemp	
PureRealSatPres	
PureEvalEoS	MixEvalEoS
PureIdHSV	MixIdHSV
PureIdVapHSV	MixIdVapHSV
PureIdLiqHSV	MixIdLiqHSV
PureParams	MixParams
PureIdSatTemp	
IdGasHeatCap	
IdGasHeatCapInt	
IdLiqVol	
IdSatPres	
SolvePolynomiumNewton	

#### 4. MixRealLiqHSV (Matlab/Mex)

Compute enthalpy, entropy and volume of a real liquid mixture

##### SYNOPSIS:

```
[H1, S1, V1, ...  
    dH1, dS1, dV1, ...  
    d2H1, d2S1, d2V1] = ...  
    MixRealLiqHSV(T, P, nl, params, tol, itmax)
```

##### DESCRIPTION:

Computes enthalpy, entropy and volume of a real liquid mixture together with first and second order temperature and pressure derivatives. Derivatives are computed based on the number of output arguments.

The output is formatted such that for the first order derivatives

```
Element 1 : temperature derivative  
Element 2 : pressure derivative  
Element 3+: composition derivatives
```

and for the symmetric second order derivatives

```
Element (1, 1) : temperature derivative  
Element (2, 1) : temperature and pressure derivative  
Element (2, 2) : pressure derivative  
Elements (3+, 1) : temperature and composition derivatives  
Elements (3+, 2) : pressure and composition derivatives  
Elements (3+, 3+): composition derivatives
```

##### REQUIRED PARAMETERS:

```
T          - Temperature [K]  
P          - Temperature [Pa]  
nl         - mole numbers in liquid phase [kmol]  
params     - Vector with various parameters obtained by calling  
             LoadParams
```

##### OPTIONAL PARAMETERS:

```
tol        - Tolerance for Newton iterations  
itmax      - Maximum number of Newton iterations
```

##### RETURNS:

```
H1         - Enthalpy of liquid phase  
S1         - Entropy of liquid phase  
V1         - Volume of liquid phase  
dH1        - First order derivatives of liquid enthalpy  
dS1        - First order derivatives of liquid entropy
```

dV1 - First order derivatives of liquid volume  
 d2H1 - Second order derivatives of liquid enthalpy  
 d2S1 - Second order derivatives of liquid entropy  
 d2V1 - Second order derivatives of liquid volume

DEPENDENCIES:

MixIdVapHSV  
 MixResPhHSV

See also LoadParams

PureRealHSV	MixRealHSV
PureRealVapHSV	MixRealVapHSV
PureRealLiqHSV	MixRealLiqHSV
PureFug	MixFug
PureResHSV	
PureResPhHSV	MixResPhHSV
PureSolveEoS	
PureSolvePhEoS	MixSolvePhEoS
PureRealSatTemp	
PureRealSatPres	
PureEvalEoS	MixEvalEoS
PureIdHSV	MixIdHSV
PureIdVapHSV	MixIdVapHSV
PureIdLiqHSV	MixIdLiqHSV
PureParams	MixParams
PureIdSatTemp	
IdGasHeatCap	
IdGasHeatCapInt	
IdLiqVol	
IdSatPres	
SolvePolynomiumNewton	

## 5. MixResPhHSV (Matlab/Mex)

Compute volume and residual enthalpy and entropy of phase

SYNOPSIS:

```
[h, s, v,
  dh, ds, dv,
  d2h, d2s, d2v] = ...
  MixResPhHSV(T, P, n, phase, params, tol, itmax)
```

DESCRIPTION:

Computes volume and residual enthalpy and entropy of a real mixture together with first and second order temperature and pressure derivatives. Derivatives are computed based on the number of output arguments. The enthalpy and entropy are obtained from a cubic equation of state

$$h^R(T, P) = RT \ln(Z - 1) + 1/((\epsilon - \sigma) b_m) (T \frac{d\ln Z}{dT} - \ln Z) f(Z, B)$$

$$s^R(T, P) = R \ln(Z - 1) + 1/((\epsilon - \sigma) b_m) \frac{d\ln Z}{dT} f(Z, B)$$

where

$$f(Z, B) = \ln \left( \frac{Z + \epsilon B}{Z + \sigma B} \right)$$

The volume is obtained by solution of a cubic equation of state and the quadratic van der Waals mixing rules

$$\begin{aligned} a_m(T, n) &= \sum_{i=1}^{N_C} \sum_{j=1}^{N_C} x_i x_j a_{ij}(T) \\ b_m(n) &= \sum_{i=1}^{N_C} x_i b_{ij} \\ a_{ij}(T) &= (1 - k_{ij}) \sqrt{a_i(T) a_j(T)} \\ x_i &= n_i / \sum_{j=1}^{N_C} n_j \\ a_i(T) &= \alpha(\text{Tr}, \omega) \Psi (RT_c)^{2/P_c} \\ b_i &= \Omega RT_c/P_c \\ \alpha(\text{Tr}, \omega) &= (1 + m(\omega) \sqrt{1 - \text{Tr}})^2 \\ m(\omega) &= m_0 + m_1 \omega + m_2 \omega^2 \\ \text{Tr} &= T/T_c \end{aligned}$$

The output is formatted such that for the first order derivatives

```
Element 1 : temperature derivative
Element 2 : pressure derivative
Element 3+: composition derivatives
```

and for the symmetric second order derivatives

```
Element (1, 1) : temperature derivative
Element (2, 1) : temperature and pressure derivative
Element (2, 2) : pressure derivative
```

Elements (3+, 1) : temperature and composition derivatives  
Elements (3+, 2) : pressure and composition derivatives  
Elements (3+, 3+): composition derivatives

REQUIRED PARAMETERS:

T - Temperature [K]  
P - Temperature [Pa]  
n - mole numbers [kmol]  
phase - 0: vapor, 1:liquid  
params - Vector with various parameters obtained by calling  
LoadParams

OPTIONAL PARAMETERS:

tol - Tolerance for Newton iterations  
itmax - Maximum number of Newton iterations

RETURNS:

h - Enthalpy  
s - Entropy  
v - Volume  
dh - First order derivatives of enthalpy  
ds - First order derivatives of entropy  
dv - First order derivatives of volume  
d2h - Second order derivatives of enthalpy  
d2s - Second order derivatives of entropy  
d2v - Second order derivatives of volume

DEPENDENCIES:

MixParams  
MixSolveEoS

See also LoadParams

PureRealHSV	MixRealHSV
PureRealVapHSV	MixRealVapHSV
PureRealLiqHSV	MixRealLiqHSV
PureFug	MixFug
PureResHSV	
PureResPhHSV	MixResPhHSV
PureSolveEoS	
PureSolvePhEoS	MixSolvePhEoS
PureRealSatTemp	
PureRealSatPres	
PureEvalEoS	MixEvalEoS
PureIdHSV	MixIdHSV
PureIdVapHSV	MixIdVapHSV
PureIdLiqHSV	MixIdLiqHSV
PureParams	MixParams

PureIdSatTemp  
IdGasHeatCap  
IdGasHeatCapInt  
IdLiqVol  
IdSatPres  
SolvePolynomiumNewton

## 6. MixFug (Matlab/Mex)

Compute logarithmic fugacity coefficients of a real mixture

SYNOPSIS:

```
[lnphi, dlnphi, d2lnphi] = MixFug(T, P, n, phase, params, tol, itmax)
```

DESCRIPTION:

Computes fugacities of a mixture together with first and second order temperature, pressure and composition derivatives. Derivatives are computed based on the number of output arguments. The fugacities are obtained from a cubic equation of state

$$\ln \phi_i(T, P) = (Z - 1) b_i/b_{mix} - \ln(Z - B) - 1/(\epsilon - \sigma) 1/(RT b_{mix}) [\sum_{j=1}^{N_C} x_j a_{ij}(T) - a_{mix}(T, n) b_i/b_{mix}] f(Z, B)$$

where

$$f(Z, B) = \ln( (Z + \epsilon B) / (Z + \sigma B) )$$

The output is formatted such that for the first order derivatives

Element (i, 1) : temperature derivative of  $\ln \phi_i$   
Element (i, 2) : pressure derivative of  $\ln \phi_i$   
Element (i, 3+): composition derivatives of  $\ln \phi_i$

and for the symmetric second order derivatives

Element (1, 1, i) : temperature derivative of  $\ln \phi_i$   
Element (2, 1, i) : temperature and pressure derivative of  $\ln \phi_i$   
Element (2, 2, i) : pressure derivative of  $\ln \phi_i$   
Elements (3+, 1, i) : temperature and composition derivatives of  $\ln \phi_i$   
Elements (3+, 2, i) : pressure and composition derivatives of  $\ln \phi_i$   
Elements (3+, 3+, i): composition derivatives of  $\ln \phi_i$

REQUIRED PARAMETERS:

T           - Temperature [K]  
P           - Temperature [Pa]  
n           - mole numbers [kmol]  
phase       - 0: vapor, 1: liquid  
params      - Vector with various parameters obtained by calling  
            LoadParams

OPTIONAL PARAMETERS:

tol         - Tolerance for Newton iterations  
itmax       - Maximum number of Newton iterations



RETURNS:

lnphi - Logarithmic fugacity coefficient  
dlnphi - First order derivatives  
d2lnphi - Second order derivatives

DEPENDENCIES:

MixSolveEoS

See also LoadParams

PureRealHSV	MixRealHSV
PureRealVapHSV	MixRealVapHSV
PureRealLiqHSV	MixRealLiqHSV
PureFug	MixFug
PureResHSV	
PureResPhHSV	MixResPhHSV
PureSolveEoS	
PureSolvePhEoS	MixSolvePhEoS
PureRealSatTemp	
PureRealSatPres	
PureEvalEoS	MixEvalEoS
PureIdHSV	MixIdHSV
PureIdVapHSV	MixIdVapHSV
PureIdLiqHSV	MixIdLiqHSV
PureParams	MixParams
PureIdSatTemp	
IdGasHeatCap	
IdGasHeatCapInt	
IdLiqVol	
IdSatPres	
SolvePolynomiumNewton	

## 7. MixSolvePhEoS (Matlab/Mex)

Solve cubic equation of state for compressibility factor

SYNOPSIS:

```
[Z, ...  
  dZT, dZP, dZn, ...  
  d2ZT, d2ZP, d2ZTP, d2ZTn, d2ZPn, d2Zn] = ...  
  MixSolvePhEoS(T, P, n, phase, params, tol, itmax)
```

DESCRIPTION:

Solves a cubic equation of state and the quadratic van der Waals mixing rules

$$P = RT/(V - bm) - am(T)/((V + \epsilon bm)(V + \sigma bm))$$

for the compressibility factor. Other functions are

$$\begin{aligned} am(T, n) &= \sum_{i=1}^{N_C} \sum_{j=1}^{N_C} x_i x_j a_{ij}(T) \\ bm(n) &= \sum_{i=1}^{N_C} x_i b_{ij} \\ a_{ij}(T) &= (1 - k_{ij}) \sqrt{a_i(T) a_j(T)} \\ x_i &= n_i / \sum_{j=1}^{N_C} n_j \\ a_i(T) &= \alpha(\text{Tr}, \omega) \Psi (RT_c)^2 / P_c \\ b_i &= \Omega RT_c / P_c \\ \alpha(\text{Tr}, \omega) &= (1 + m(\omega) \sqrt{1 - \text{Tr}})^2 \\ m(\omega) &= m_0 + m_1 \omega + m_2 \omega^2 \\ \text{Tr} &= T / T_c \end{aligned}$$

REQUIRED PARAMETERS:

T - Temperature [K]  
P - Pressure [Pa]  
n - mole numbers [kmol]  
phase - 0: vapor, 1: liquid  
params - Vector with various parameters obtained by calling  
LoadParams

OPTIONAL PARAMETERS:

tol - Tolerance for Newton iterations  
itmax - Maximum number of Newton iterations

RETURNS:

Z - Compressibility factor  
dZT - First temperature derivative  
dZP - First pressure derivative  
dZn - First composition derivatives  
d2ZT - Second temperature derivative  
d2ZP - Second pressure derivative  
d2ZTP - Second temperature and pressure derivative

d2ZTn - Second temperature and composition derivatives  
d2ZPn - Second pressure and composition derivatives  
d2Zn - Second composition derivatives

DEPENDENCIES:

MixParams  
SolvePolynomiumNewton

See also LoadParams

PureRealHSV	MixRealHSV
PureRealVapHSV	MixRealVapHSV
PureRealLiqHSV	MixRealLiqHSV
PureFug	MixFug
PureResHSV	
PureResPhHSV	MixResPhHSV
PureSolveEoS	
PureSolvePhEoS	MixSolvePhEoS
PureRealSatTemp	
PureRealSatPres	
PureEvalEoS	MixEvalEoS
PureIdHSV	MixIdHSV
PureIdVapHSV	MixIdVapHSV
PureIdLiqHSV	MixIdLiqHSV
PureParams	MixParams
PureIdSatTemp	
IdGasHeatCap	
IdGasHeatCapInt	
IdLiqVol	
IdSatPres	
SolvePolynomiumNewton	

## 8. MixIdHSV (Matlab/Mex)

Compute vapor and liquid enthalpy, entropy and volume of an ideal mixture

### SYNOPSIS:

```
[Hv, Sv, Vv, Hl, Sl, Vl, ...  
  dHv, dSv, dVv, dHl, dSl, dVl, ...  
  d2Hv, d2Sv, d2Vv, d2Hl, d2Sl, d2Vl] = ...  
  MixIdHSV(T, P, nv, nl, params)
```

### DESCRIPTION:

Computes vapor and liquid enthalpy, entropy and volume of an ideal mixture together with first and second order temperature and pressure derivatives. Derivatives are computed based on the number of output arguments.

The output is formatted such that for the first order derivatives

```
Element 1 : temperature derivative  
Element 2 : pressure derivative  
Element 3+: composition derivatives
```

and for the symmetric second order derivatives

```
Element (1, 1) : temperature derivative  
Element (2, 1) : temperature and pressure derivative  
Element (2, 2) : pressure derivative  
Elements (3+, 1) : temperature and composition derivatives  
Elements (3+, 2) : pressure and composition derivatives  
Elements (3+, 3+): composition derivatives
```

### REQUIRED PARAMETERS:

```
T          - Temperature [K]  
P          - Temperature [Pa]  
nv         - mole numbers in vapor phase [kmol]  
nl         - mole numbers in liquid phase [kmol]  
params     - Vector with various parameters obtained by calling  
             LoadParams
```

### RETURNS:

```
Hv         - Enthalpy of vapor phase  
Sv         - Entropy of vapor phase  
Vv         - Volume of vapor phase  
Hl         - Enthalpy of liquid phase  
Sl         - Entropy of liquid phase  
Vl         - Volume of liquid phase  
dHv        - First order derivatives of vapor enthalpy  
dSv        - First order derivatives of vapor entropy
```

dVv - First order derivatives of vapor volume  
 dHl - First order derivatives of liquid enthalpy  
 dSl - First order derivatives of liquid entropy  
 dVl - First order derivatives of liquid volume  
 d2Hv - Second order derivatives of vapor enthalpy  
 d2Sv - Second order derivatives of vapor entropy  
 d2Vv - Second order derivatives of vapor volume  
 d2Hl - Second order derivatives of liquid enthalpy  
 d2Sl - Second order derivatives of liquid entropy  
 d2Vl - Second order derivatives of liquid volume

DEPENDENCIES:

IdGasHeatCap  
 IdGasHeatCapInt  
 IdLiqVol  
 IdSatPres

See also LoadParams

PureRealHSV	MixRealHSV
PureRealVapHSV	MixRealVapHSV
PureRealLiqHSV	MixRealLiqHSV
PureFug	MixFug
PureResHSV	
PureResPhHSV	MixResPhHSV
PureSolveEoS	
PureSolvePhEoS	MixSolvePhEoS
PureRealSatTemp	
PureRealSatPres	
PureEvalEoS	MixEvalEoS
PureIdHSV	MixIdHSV
PureIdVapHSV	MixIdVapHSV
PureIdLiqHSV	MixIdLiqHSV
PureParams	MixParams
PureIdSatTemp	
IdGasHeatCap	
IdGasHeatCapInt	
IdLiqVol	
IdSatPres	
SolvePolynomiumNewton	

## 9. MixIdVapHSV (Matlab/Mex)

Compute enthalpy, entropy and volume of an ideal vapor mixture

### SYNOPSIS:

```
[Hv, Sv, Vv, ...  
  dHv, dSv, dVv, ...  
  d2Hv, d2Sv, d2Vv] = ...  
  MixIdVapHSV(T, P, nv, params)
```

### DESCRIPTION:

Computes enthalpy, entropy and volume of an ideal vapor mixture based on the ideal gas law and DIPPR correlations. First and second order temperature and pressure derivatives are computed based on the number of output arguments.

The output is formatted such that for the first order derivatives

```
Element 1 : temperature derivative  
Element 2 : pressure derivative  
Element 3+: composition derivatives
```

and for the symmetric second order derivatives

```
Element (1, 1) : temperature derivative  
Element (2, 1) : temperature and pressure derivative  
Element (2, 2) : pressure derivative  
Elements (3+, 1) : temperature and composition derivatives  
Elements (3+, 2) : pressure and composition derivatives  
Elements (3+, 3+): composition derivatives
```

### REQUIRED PARAMETERS:

```
T          - Temperature [K]  
P          - Temperature [Pa]  
nv         - mole numbers in vapor phase [kmol]  
params     - Vector with various parameters obtained by calling  
             LoadParams
```

### RETURNS:

```
Hv        - Enthalpy of vapor phase  
Sv        - Entropy of vapor phase  
Vv        - Volume of vapor phase  
dHv       - First order derivatives of vapor enthalpy  
dSv       - First order derivatives of vapor entropy  
dVv       - First order derivatives of vapor volume  
d2Hv      - Second order derivatives of vapor enthalpy  
d2Sv      - Second order derivatives of vapor entropy
```

d2Vv - Second order derivatives of vapor volume

DEPENDENCIES:

IdGasHeatCap  
IdGasHeatCapInt

See also LoadParams

PureRealHSV	MixRealHSV
PureRealVapHSV	MixRealVapHSV
PureRealLiqHSV	MixRealLiqHSV
PureFug	MixFug
PureResHSV	
PureResPhHSV	MixResPhHSV
PureSolveEoS	
PureSolvePhEoS	MixSolvePhEoS
PureRealSatTemp	
PureRealSatPres	
PureEvalEoS	MixEvalEoS
PureIdHSV	MixIdHSV
PureIdVapHSV	MixIdVapHSV
PureIdLiqHSV	MixIdLiqHSV
PureParams	MixParams
PureIdSatTemp	
IdGasHeatCap	
IdGasHeatCapInt	
IdLiqVol	
IdSatPres	
SolvePolynomiumNewton	

## 10. MixIdLiqHSV (Matlab/Mex)

Compute enthalpy, entropy and volume of an ideal liquid mixture

### SYNOPSIS:

```
[H1, S1, V1, ...  
    dH1, dS1, dV1, ...  
    d2H1, d2S1, d2V1] = ...  
    MixIdLiqHSV(T, P, nl, params)
```

### DESCRIPTION:

Computes enthalpy, entropy and volume of an ideal liquid mixture together with first and second order temperature and pressure derivatives. Derivatives are computed based on the number of output arguments.

The output is formatted such that for the first order derivatives

```
Element 1 : temperature derivative  
Element 2 : pressure derivative  
Element 3+: composition derivatives
```

and for the symmetric second order derivatives

```
Element (1, 1) : temperature derivative  
Element (2, 1) : temperature and pressure derivative  
Element (2, 2) : pressure derivative  
Elements (3+, 1) : temperature and composition derivatives  
Elements (3+, 2) : pressure and composition derivatives  
Elements (3+, 3+): composition derivatives
```

### REQUIRED PARAMETERS:

```
T          - Temperature [K]  
P          - Temperature [Pa]  
nl         - mole numbers in liquid phase [kmol]  
params     - Vector with various parameters obtained by calling  
             LoadParams
```

### RETURNS:

```
H1         - Enthalpy of liquid phase  
S1         - Entropy of liquid phase  
V1         - Volume of liquid phase  
dH1        - First order derivatives of liquid enthalpy  
dS1        - First order derivatives of liquid entropy  
dV1        - First order derivatives of liquid volume  
d2H1       - Second order derivatives of liquid enthalpy  
d2S1       - Second order derivatives of liquid entropy  
d2V1       - Second order derivatives of liquid volume
```



DEPENDENCIES:

MixIdVapHSV  
IdLiqVol  
IdSatPres

See also LoadParams

PureRealHSV	MixRealHSV
PureRealVapHSV	MixRealVapHSV
PureRealLiqHSV	MixRealLiqHSV
PureFug	MixFug
PureResHSV	
PureResPhHSV	MixResPhHSV
PureSolveEoS	
PureSolvePhEoS	MixSolvePhEoS
PureRealSatTemp	
PureRealSatPres	
PureEvalEoS	MixEvalEoS
PureIdHSV	MixIdHSV
PureIdVapHSV	MixIdVapHSV
PureIdLiqHSV	MixIdLiqHSV
PureParams	MixParams
PureIdSatTemp	
IdGasHeatCap	
IdGasHeatCapInt	
IdLiqVol	
IdSatPres	
SolvePolynomiumNewton	

## 11. PureRealHSV (Matlab/Mex)

Compute pure component vapor and liquid enthalpy, entropy and volume

### SYNOPSIS:

```
[hv, sv, vv, hl, sl, vl, ...  
 dhvT, dsvT, dvvT, dhvP, dsvP, dvvP, ...  
 dh1T, ds1T, dv1T, dh1P, ds1P, dv1P, ...  
 d2hvT, d2svT, d2vvT, d2hvP, d2svP, d2vvP, ...  
 d2hvTP, d2svTP, d2vvTP, ...  
 d2h1T, d2s1T, d2v1T, d2h1P, d2s1P, d2v1P, ...  
 d2h1TP, d2s1TP, d2v1TP] = ...  
 PureRealHSV(T, P, params, tol, itmax)
```

### DESCRIPTION:

Computes vapor and liquid enthalpy, entropy and volume of real pure components together with first and second order temperature and pressure derivatives. Derivatives are computed based on the number of output arguments.

The enthalpy and entropy are computed from ideal and residual properties while the volume is obtained as the solution to a cubic equation of state

### REQUIRED PARAMETERS:

T            - Temperature [K]  
P            - Temperature [Pa]  
params       - Vector with various parameters obtained by calling  
              LoadParams

### OPTIONAL PARAMETERS:

tol           - Tolerance for Newton iterations  
itmax         - Maximum number of Newton iterations

### RETURNS:

hv            - Molar enthalpy of each component  
sv            - Molar entropy of each component  
vv            - Molar volume of each component  
hl            - Molar enthalpy of each component  
sl            - Molar entropy of each component  
vl            - Molar volume of each component  
dhvT         - Molar enthalpy 1st temperature derivative of each component  
dsvT         - Molar entropy 1st temperature derivative of each component  
dvvT         - Molar volume 1st temperature derivative of each component  
dhvP         - Molar enthalpy 1st pressure derivative of each component  
dsvP         - Molar entropy 1st pressure derivative of each component  
dsvP         - Molar volume 1st pressure derivative of each component  
dh1T         - Molar enthalpy 1st temperature derivative of each component

ds1T - Molar entropy 1st temperature derivative of each component  
 dv1T - Molar volume 1st temperature derivative of each component  
 dh1P - Molar enthalpy 1st pressure derivative of each component  
 ds1P - Molar entropy 1st pressure derivative of each component  
 ds1P - Molar volume 1st pressure derivative of each component  
 d2hvT - Molar enthalpy 2nd temperature derivative of each component  
 d2svT - Molar entropy 2nd temperature derivative of each component  
 d2vvT - Molar volume 2nd temperature derivative of each component  
 d2hvP - Molar enthalpy 2nd pressure derivative of each component  
 d2svP - Molar entropy 2nd pressure derivative of each component  
 d2vvP - Molar volume 2nd pressure derivative of each component  
 d2hvTP - Molar enthalpy 2nd pressure and temperature derivative of each component  
 d2svTP - Molar entropy 2nd pressure and temperature derivative of each component  
 d2vvTP - Molar volume 2nd pressure and temperature derivative of each component  
 d2h1T - Molar enthalpy 2nd temperature derivative of each component  
 d2s1T - Molar entropy 2nd temperature derivative of each component  
 d2v1T - Molar volume 2nd temperature derivative of each component  
 d2h1P - Molar enthalpy 2nd pressure derivative of each component  
 d2s1P - Molar entropy 2nd pressure derivative of each component  
 d2v1P - Molar volume 2nd pressure derivative of each component  
 d2h1TP - Molar enthalpy 2nd pressure and temperature derivative of each component  
 d2s1TP - Molar entropy 2nd pressure and temperature derivative of each component  
 d2v1TP - Molar volume 2nd pressure and temperature derivative of each component

DEPENDENCIES:

PureIdVapHSV  
 PureResHSV

See also LoadParams

PureRealHSV	MixRealHSV
PureRealVapHSV	MixRealVapHSV
PureRealLiqHSV	MixRealLiqHSV
PureFug	MixFug
PureResHSV	
PureResPhHSV	MixResPhHSV
PureSolveEoS	
PureSolvePhEoS	MixSolvePhEoS
PureRealSatTemp	
PureRealSatPres	
PureEvalEoS	MixEvalEoS
PureIdHSV	MixIdHSV
PureIdVapHSV	MixIdVapHSV
PureIdLiqHSV	MixIdLiqHSV
PureParams	MixParams
PureIdSatTemp	
IdGasHeatCap	
IdGasHeatCapInt	

IdLiqVol  
IdSatPres  
SolvePolynomiumNewton

## 12. PureRealVapHSV (Matlab/Mex)

Compute pure component vapor enthalpy, entropy and volume

### SYNOPSIS:

```
[hv, sv, vv, ...  
 dhvT, dsvT, dvvT, dhvP, dsvP, dvvP, ...  
 d2hvT, d2svT, d2vvt, d2hvP, d2svP, d2vvp, ...  
 d2hvTP, d2svTP, d2vvtP] = ...  
 PureRealVapHSV(T, P, params, tol, itmax)
```

### DESCRIPTION:

Computes vapor enthalpy, entropy and volume of real pure components together with first and second order temperature and pressure derivatives. Derivatives are computed based on the number of output arguments.

The enthalpy and entropy are computed from ideal and residual properties while the volume is obtained as the solution to a cubic equation of state

### REQUIRED PARAMETERS:

```
T          - Temperature [K]  
P          - Temperature [Pa]  
params     - Vector with various parameters obtained by calling  
             LoadParams
```

### OPTIONAL PARAMETERS:

```
tol        - Tolerance for Newton iterations  
itmax     - Maximum number of Newton iterations
```

### RETURNS:

```
hv         - Molar enthalpy of each component  
sv         - Molar entropy of each component  
vv         - Molar volume of each component  
dhvT      - Molar enthalpy 1st temperature derivative of each component  
dsvT      - Molar entropy 1st temperature derivative of each component  
dvvT      - Molar volume 1st temperature derivative of each component  
dhvP      - Molar enthalpy 1st pressure derivative of each component  
dsvP      - Molar entropy 1st pressure derivative of each component  
dsvP      - Molar volume 1st pressure derivative of each component  
d2hvT     - Molar enthalpy 2nd temperature derivative of each component  
d2svT     - Molar entropy 2nd temperature derivative of each component  
d2vvt     - Molar volume 2nd temperature derivative of each component  
d2hvP     - Molar enthalpy 2nd pressure derivative of each component  
d2svP     - Molar entropy 2nd pressure derivative of each component  
d2vvt     - Molar volume 2nd pressure derivative of each component  
d2hvTP    - Molar enthalpy 2nd pressure and temperature derivative of each component
```

d2svTP - Molar entropy 2nd pressure and temperature derivative of each component  
d2vvTP - Molar volume 2nd pressure and temperature derivative of each component

DEPENDENCIES:

PureIdVapHSV  
PureResPhHSV

See also LoadParams

PureRealHSV	MixRealHSV
PureRealVapHSV	MixRealVapHSV
PureRealLiqHSV	MixRealLiqHSV
PureFug	MixFug
PureResHSV	
PureResPhHSV	MixResPhHSV
PureSolveEoS	
PureSolvePhEoS	MixSolvePhEoS
PureRealSatTemp	
PureRealSatPres	
PureEvalEoS	MixEvalEoS
PureIdHSV	MixIdHSV
PureIdVapHSV	MixIdVapHSV
PureIdLiqHSV	MixIdLiqHSV
PureParams	MixParams
PureIdSatTemp	
IdGasHeatCap	
IdGasHeatCapInt	
IdLiqVol	
IdSatPres	
SolvePolynomiumNewton	

### 13. PureRealLiqHSV (Matlab/Mex)

Compute pure component liquid enthalpy, entropy and volume

#### SYNOPSIS:

```
[hl, sl, vl, ...  
    dh1T, ds1T, dv1T, dh1P, ds1P, dv1P, ...  
    d2h1T, d2s1T, d2v1T, d2h1P, d2s1P, d2v1P, ...  
    d2h1TP, d2s1TP, d2v1TP] = ...  
    PureRealLiqHSV(T, P, params, tol, itmax)
```

#### DESCRIPTION:

Computes liquid enthalpy, entropy and volume of real pure components together with first and second order temperature and pressure derivatives. Derivatives are computed based on the number of output arguments.

The enthalpy and entropy are computed from ideal and residual properties while the volume is obtained as the solution to a cubic equation of state

#### REQUIRED PARAMETERS:

```
T          - Temperature [K]  
P          - Temperature [Pa]  
params     - Vector with various parameters obtained by calling  
             LoadParams
```

#### OPTIONAL PARAMETERS:

```
tol        - Tolerance for Newton iterations  
itmax     - Maximum number of Newton iterations
```

#### RETURNS:

```
hl         - Molar enthalpy of each component  
sl         - Molar entropy of each component  
vl         - Molar volume of each component  
dh1T      - Molar enthalpy 1st temperature derivative of each component  
ds1T      - Molar entropy 1st temperature derivative of each component  
dv1T      - Molar volume 1st temperature derivative of each component  
dh1P      - Molar enthalpy 1st pressure derivative of each component  
ds1P      - Molar entropy 1st pressure derivative of each component  
dv1P      - Molar volume 1st pressure derivative of each component  
d2h1T     - Molar enthalpy 2nd temperature derivative of each component  
d2s1T     - Molar entropy 2nd temperature derivative of each component  
d2v1T     - Molar volume 2nd temperature derivative of each component  
d2h1P     - Molar enthalpy 2nd pressure derivative of each component  
d2s1P     - Molar entropy 2nd pressure derivative of each component  
d2v1P     - Molar volume 2nd pressure derivative of each component  
d2h1TP    - Molar enthalpy 2nd pressure and temperature derivative of each component
```

d2s1TP - Molar entropy 2nd pressure and temperature derivative of each component  
d2v1TP - Molar volume 2nd pressure and temperature derivative of each component

DEPENDENCIES:

PureIdVapHSV  
PureResPhHSV

See also LoadParams

PureRealHSV	MixRealHSV
PureRealVapHSV	MixRealVapHSV
PureRealLiqHSV	MixRealLiqHSV
PureFug	MixFug
PureResHSV	
PureResPhHSV	MixResPhHSV
PureSolveEoS	
PureSolvePhEoS	MixSolvePhEoS
PureRealSatTemp	
PureRealSatPres	
PureEvalEoS	MixEvalEoS
PureIdHSV	MixIdHSV
PureIdVapHSV	MixIdVapHSV
PureIdLiqHSV	MixIdLiqHSV
PureParams	MixParams
PureIdSatTemp	
IdGasHeatCap	
IdGasHeatCapInt	
IdLiqVol	
IdSatPres	
SolvePolynomiumNewton	



## 14. PureResHSV (Matlab/Mex)

Compute volume and residual enthalpy and entropy of pure components

### SYNOPSIS:

```
[hv, sv, vv, hl, sl, vl, ...  
 dhvT, dsvT, dvvT, dhvP, dsvP, dvvP, ...  
 dh1T, ds1T, dv1T, dh1P, ds1P, dv1P, ...  
 d2hvT, d2svT, d2vvT, d2hvP, d2svP, d2vvP, ...  
 d2hvTP, d2svTP, d2vvTP, ...  
 d2h1T, d2s1T, d2v1T, d2h1P, d2s1P, d2v1P, ...  
 d2h1TP, d2s1TP, d2v1TP] = ...  
 PureResHSV(T, P, params, tol, itmax)
```

### DESCRIPTION:

Computes volume and residual enthalpy and entropy of a pure components using a cubic equation of state. First and second order temperature and pressure derivatives are computed based on the number of output arguments. The residual enthalpy and entropy are obtained from the cubic equation of state

$$\begin{aligned}h^R(T, P) &= RT (Z - 1) + 1/((\epsilon - \sigma) b) (T da/dT - a(T)) f(Z, B) \\s^R(T, P) &= R \ln(Z - 1) + 1/((\epsilon - \sigma) b) da/dT f(Z, B)\end{aligned}$$

where

$$f(Z, B) = \ln( (Z + \epsilon B) / (Z + \sigma B) )$$

The volume is obtained by solution of the cubic equation of state

$$\begin{aligned}P &= RT/(V - b) - a(T)/(V^2 + 2Vb - b^2) \\a(T) &= \alpha(\text{Tr}, \omega) \text{Psi} (RTc)^2/Pc \\b &= \Omega RTc/Pc \\ \alpha(\text{Tr}, \omega) &= (1 + m(\omega) \sqrt{1 - \text{Tr}})^2 \\ m(\omega) &= m_0 + m_1 \omega + m_2 \omega^2 \\ \text{Tr} &= T/Tc \\ \text{Psi} &= 0.45724 \\ \Omega &= 0.07779\end{aligned}$$

### REQUIRED PARAMETERS:

T - Temperature [K]  
P - Temperature [Pa]  
params - Vector with various parameters obtained by calling LoadParams

### OPTIONAL PARAMETERS:

tol - Tolerance for Newton iterations

itmax - Maximum number of Newton iterations

RETURNS:

hv - Molar enthalpy of each component  
sv - Molar entropy of each component  
vv - Molar volume of each component  
hl - Molar enthalpy of each component  
sl - Molar entropy of each component  
vl - Molar volume of each component  
dhvT - Molar enthalpy 1st temperature derivative of each component  
dsvT - Molar entropy 1st temperature derivative of each component  
dvvT - Molar volume 1st temperature derivative of each component  
dhvP - Molar enthalpy 1st pressure derivative of each component  
dsvP - Molar entropy 1st pressure derivative of each component  
dsvP - Molar volume 1st pressure derivative of each component  
dh1T - Molar enthalpy 1st temperature derivative of each component  
ds1T - Molar entropy 1st temperature derivative of each component  
dv1T - Molar volume 1st temperature derivative of each component  
dh1P - Molar enthalpy 1st pressure derivative of each component  
ds1P - Molar entropy 1st pressure derivative of each component  
ds1P - Molar volume 1st pressure derivative of each component  
d2hvT - Molar enthalpy 2nd temperature derivative of each component  
d2svT - Molar entropy 2nd temperature derivative of each component  
d2vvT - Molar volume 2nd temperature derivative of each component  
d2hvP - Molar enthalpy 2nd pressure derivative of each component  
d2svP - Molar entropy 2nd pressure derivative of each component  
d2vvP - Molar volume 2nd pressure derivative of each component  
d2hvTP - Molar enthalpy 2nd pressure and temperature derivative of each component  
d2svTP - Molar entropy 2nd pressure and temperature derivative of each component  
d2vvTP - Molar volume 2nd pressure and temperature derivative of each component  
d2h1T - Molar enthalpy 2nd temperature derivative of each component  
d2s1T - Molar entropy 2nd temperature derivative of each component  
d2v1T - Molar volume 2nd temperature derivative of each component  
d2h1P - Molar enthalpy 2nd pressure derivative of each component  
d2s1P - Molar entropy 2nd pressure derivative of each component  
d2v1P - Molar volume 2nd pressure derivative of each component  
d2h1TP - Molar enthalpy 2nd pressure and temperature derivative of each component  
d2s1TP - Molar entropy 2nd pressure and temperature derivative of each component  
d2v1TP - Molar volume 2nd pressure and temperature derivative of each component

DEPENDENCIES:

PureParams  
PureSolveEoS

See also LoadParams

PureRealHSV                      MixRealHSV  
PureRealVapHSV                  MixRealVapHSV

PureRealLiqHSV	MixRealLiqHSV
PureFug	MixFug
PureResHSV	
PureResPhHSV	MixResPhHSV
PureSolveEoS	
PureSolvePhEoS	MixSolvePhEoS
PureRealSatTemp	
PureRealSatPres	
PureEvalEoS	MixEvalEoS
PureIdHSV	MixIdHSV
PureIdVapHSV	MixIdVapHSV
PureIdLiqHSV	MixIdLiqHSV
PureParams	MixParams
PureIdSatTemp	
IdGasHeatCap	
IdGasHeatCapInt	
IdLiqVol	
IdSatPres	
SolvePolynomiumNewton	

## 15. PureResPhHSV (Matlab/Mex)

Compute volume and residual enthalpy and entropy of pure components

SYNOPSIS:

```
[h, s, v, ...  
    dhT, dsT, dvT, dhP, dsP, dvP, ...  
    d2hT, d2sT, d2vT, d2hP, d2sP, d2vP, ...  
    d2hTP, d2sTP, d2vTP] = ...  
    PureResPhHSV(T, P, phase, params, tol, itmax)
```

DESCRIPTION:

Computes volume and residual enthalpy and entropy of a pure components using a cubic equation of state. First and second order temperature and pressure derivatives are computed based on the number of output arguments. The residual enthalpy and entropy are obtained from the cubic equation of state

$$\begin{aligned}h^R(T, P) &= RT \ln(Z - 1) + 1/((\epsilon - \sigma) b) (T da/dT - a(T)) f(Z, B) \\s^R(T, P) &= R \ln(Z - 1) + 1/((\epsilon - \sigma) b) da/dT f(Z, B)\end{aligned}$$

where

$$f(Z, B) = \ln( (Z + \epsilon B) / (Z + \sigma B) )$$

The volume is obtained by solution of the cubic equation of state

$$\begin{aligned}P &= RT/(V - b) - a(T)/(V^2 + 2Vb - b^2) \\a(T) &= \alpha(\text{Tr}, \omega) \text{Psi} (RTc)^2/Pc \\b &= \Omega RTc/Pc \\ \alpha(\text{Tr}, \omega) &= (1 + m(\omega) \sqrt{1 - \text{Tr}})^2 \\ m(\omega) &= m_0 + m_1 \omega + m_2 \omega^2 \\ \text{Tr} &= T/Tc \\ \text{Psi} &= 0.45724 \\ \Omega &= 0.07779\end{aligned}$$

REQUIRED PARAMETERS:

```
T          - Temperature [K]  
P          - Temperature [Pa]  
phase     - 0: vapor, 1: liquid  
params    - Vector with various parameters obtained by calling  
            LoadParams
```

OPTIONAL PARAMETERS:

```
tol        - Tolerance for Newton iterations  
itmax     - Maximum number of Newton iterations
```

RETURNS:

h - Molar enthalpy of each component  
s - Molar entropy of each component  
v - Molar volume of each component  
dhT - Molar enthalpy 1st temperature derivative of each component  
dsT - Molar entropy 1st temperature derivative of each component  
dvT - Molar volume 1st temperature derivative of each component  
dhP - Molar enthalpy 1st pressure derivative of each component  
dsP - Molar entropy 1st pressure derivative of each component  
dsP - Molar volume 1st pressure derivative of each component  
d2hT - Molar enthalpy 2nd temperature derivative of each component  
d2sT - Molar entropy 2nd temperature derivative of each component  
d2vT - Molar volume 2nd temperature derivative of each component  
d2hP - Molar enthalpy 2nd pressure derivative of each component  
d2sP - Molar entropy 2nd pressure derivative of each component  
d2vP - Molar volume 2nd pressure derivative of each component  
d2hTP - Molar enthalpy 2nd pressure and temperature derivative of each component  
d2sTP - Molar entropy 2nd pressure and temperature derivative of each component  
d2vTP - Molar volume 2nd pressure and temperature derivative of each component

DEPENDENCIES:

PureParams  
PureSolveEoS

See also LoadParams

PureRealHSV	MixRealHSV
PureRealVapHSV	MixRealVapHSV
PureRealLiqHSV	MixRealLiqHSV
PureFug	MixFug
PureResHSV	
PureResPhHSV	MixResPhHSV
PureSolveEoS	
PureSolvePhEoS	MixSolvePhEoS
PureRealSatTemp	
PureRealSatPres	
PureEvalEoS	MixEvalEoS
PureIdHSV	MixIdHSV
PureIdVapHSV	MixIdVapHSV
PureIdLiqHSV	MixIdLiqHSV
PureParams	MixParams
PureIdSatTemp	
IdGasHeatCap	
IdGasHeatCapInt	
IdLiqVol	
IdSatPres	
SolvePolynomiumNewton	

## 16. PureFug (Matlab/Mex)

Compute logarithmic fugacity coefficients of real components

### SYNOPSIS:

```
[lnphi, ...  
    dlnphiT, dlnphiP, ...  
    d2lnphiT, d2lnphiP, d2lnphiTP] = PureFug(T, P, phase, params, tol, itmax)
```

### DESCRIPTION:

Computes fugacities of real components together with first and second order temperature and pressure derivatives. Derivatives are computed based on the number of output arguments. The fugacities are obtained from a cubic equation of state

$$\ln \phi_i(T, P) = Z - 1 - \ln(Z - B) - 1/(\epsilon - \sigma) \ln \left( \frac{Z + \epsilon B}{Z + \sigma B} \right)$$

where

$$f(Z, B) = \ln \left( \frac{Z + \epsilon B}{Z + \sigma B} \right)$$

### REQUIRED PARAMETERS:

T           - Temperature [K]  
P           - Temperature [Pa]  
phase       - 0: vapor, 1: liquid  
params      - Vector with various parameters obtained by calling  
              LoadParams

### OPTIONAL PARAMETERS:

tol         - Tolerance for Newton iterations  
itmax       - Maximum number of Newton iterations

### RETURNS:

lnphi       - Logarithmic fugacity coefficient  
dlnphiT     - First order temperature derivatives  
dlnphiP     - First order pressure derivatives  
d2lnphiT    - Second order temperature derivatives  
d2lnphiP    - Second order pressure derivatives  
d2lnphiTP   - Second order temperature and pressure derivatives

### DEPENDENCIES:

PureParams  
PureSolveEoS

See also LoadParams

PureRealHSV                    MixRealHSV  
PureRealVapHSV                 MixRealVapHSV

PureRealLiqHSV	MixRealLiqHSV
PureFug	MixFug
PureResHSV	
PureResPhHSV	MixResPhHSV
PureSolveEoS	
PureSolvePhEoS	MixSolvePhEoS
PureRealSatTemp	
PureRealSatPres	
PureEvalEoS	MixEvalEoS
PureIdHSV	MixIdHSV
PureIdVapHSV	MixIdVapHSV
PureIdLiqHSV	MixIdLiqHSV
PureParams	MixParams
PureIdSatTemp	
IdGasHeatCap	
IdGasHeatCapInt	
IdLiqVol	
IdSatPres	
SolvePolynomiumNewton	

## 17. PureSolveEoS (Matlab/Mex)

Solve cubic equation of state for vapor and liquid compressibility factors

### SYNOPSIS:

```
[Zv, Zl, ...  
 dZvT, dZvP, dZlT, dZlP, ...  
 d2ZvT, d2ZvP, d2ZvTP, d2ZlT, d2ZlP, d2ZlTP] = ...  
 PureSolveEoS(T, P, params, tol, itmax)
```

### DESCRIPTION:

Solves a cubic equation of state

$$P = RT/(V - b) - a(T)/((V + \epsilon b)(V + \sigma b))$$

for the compressibility factor. Other functions are

$$\begin{aligned} a(T) &= \alpha(\text{Tr}, \omega) \text{Psi} (RT_c)^2/P_c \\ b &= \Omega RT_c/P_c \\ \alpha(\text{Tr}, \omega) &= (1 + m(\omega)\sqrt{1 - \text{Tr}})^2 \\ m(\omega) &= m_0 + m_1 \omega + m_2 \omega^2 \\ \text{Tr} &= T/T_c \end{aligned}$$

### REQUIRED PARAMETERS:

T - Temperature [K]  
P - Pressure [Pa]  
phase - 0: vapor, 1: liquid  
params - Vector with various parameters obtained by calling LoadParams

### OPTIONAL PARAMETERS:

tol - Tolerance for Newton iterations  
itmax - Maximum number of Newton iterations

### RETURNS:

Zv - Vapor compressibility factor  
Zl - Liquid compressibility factor  
dZvT - First temperature derivatives of compressibility factor  
dZvP - First pressure derivatives of compressibility factor  
dZlT - First temperature derivatives of compressibility factor  
dZlP - First pressure derivatives of compressibility factor  
d2ZvT - Second temperature derivatives of compressibility factor  
d2ZvP - Second pressure derivatives of compressibility factor  
d2ZvTP - Second temperature and pressure derivatives of compressibility factor  
d2ZlT - Second temperature derivatives of compressibility factor  
d2ZlP - Second pressure derivatives of compressibility factor  
d2ZlTP - Second temperature and pressure derivatives of compressibility factor



DEPENDENCIES:

PureParams  
SolvePolynomiumNewton

See also LoadParams

PureRealHSV	MixRealHSV
PureRealVapHSV	MixRealVapHSV
PureRealLiqHSV	MixRealLiqHSV
PureFug	MixFug
PureResHSV	
PureResPhHSV	MixResPhHSV
PureSolveEoS	
PureSolvePhEoS	MixSolvePhEoS
PureRealSatTemp	
PureRealSatPres	
PureEvalEoS	MixEvalEoS
PureIdHSV	MixIdHSV
PureIdVapHSV	MixIdVapHSV
PureIdLiqHSV	MixIdLiqHSV
PureParams	MixParams
PureIdSatTemp	
IdGasHeatCap	
IdGasHeatCapInt	
IdLiqVol	
IdSatPres	
SolvePolynomiumNewton	

## 18. PureSolvePhEoS (Matlab/Mex)

Solve cubic equation of state for compressibility factor

SYNOPSIS:

```
[Z, ...  
    dZT, dZP, ...  
    d2ZT, d2ZP, d2ZTP] = ...  
    PureSolvePhEoS(T, P, phase, params, tol, itmax)
```

DESCRIPTION:

Solves a cubic equation of state

$$P = RT/(V - b) - a(T)/((V + \epsilon b)(V + \sigma b))$$

for the compressibility factor. Other functions are

$$\begin{aligned} a(T) &= \alpha(\text{Tr}, \omega) \text{Psi} (RT_c)^2/P_c \\ b &= \Omega RT_c/P_c \\ \alpha(\text{Tr}, \omega) &= (1 + m(\omega)\sqrt{1 - \text{Tr}})^2 \\ m(\omega) &= m_0 + m_1 \omega + m_2 \omega^2 \\ \text{Tr} &= T/T_c \end{aligned}$$

REQUIRED PARAMETERS:

T - Temperature [K]  
P - Pressure [Pa]  
phase - 0: vapor, 1: liquid  
params - Vector with various parameters obtained by calling  
LoadParams

OPTIONAL PARAMETERS:

tol - Tolerance for Newton iterations  
itmax - Maximum number of Newton iterations

RETURNS:

Z - Compressibility factor  
dZT - First temperature derivatives of compressibility factor  
dZP - First pressure derivatives of compressibility factor  
d2ZT - Second temperature derivatives of compressibility factor  
d2ZP - Second pressure derivatives of compressibility factor  
d2ZTP - Second temperature and pressure derivatives of compressibility factor

DEPENDENCIES:

PureParams  
SolvePolynomiumNewton

See also LoadParams

PureRealHSV	MixRealHSV
PureRealVapHSV	MixRealVapHSV
PureRealLiqHSV	MixRealLiqHSV
PureFug	MixFug
PureResHSV	
PureResPhHSV	MixResPhHSV
PureSolveEoS	
PureSolvePhEoS	MixSolvePhEoS
PureRealSatTemp	
PureRealSatPres	
PureEvalEoS	MixEvalEoS
PureIdHSV	MixIdHSV
PureIdVapHSV	MixIdVapHSV
PureIdLiqHSV	MixIdLiqHSV
PureParams	MixParams
PureIdSatTemp	
IdGasHeatCap	
IdGasHeatCapInt	
IdLiqVol	
IdSatPres	
SolvePolynomiumNewton	

## 19. PureIdVapHSV (Matlab/Mex)

Compute pure component molar vapor enthalpy, entropy and volume

### SYNOPSIS:

```
[hv, sv, vv, ...  
 dhvT, dsvT, dvvT, dsvP, dvvP, ...  
 d2hvT, d2svT, d2svP, d2vvP, d2vvTP] = ...  
 PureIdVapHSV(T, P, params)
```

### DESCRIPTION:

Computes molar enthalpy, entropy and volume of a set of pure components using the ideal gas law and DIPPR correlations. First and second order temperature and pressure derivatives are computed based on the number of output arguments.

Certain derivatives are not returned by this routine because they are zero (e.g. pressure derivative of enthalpy  $d/dP h^v$ )

### REQUIRED PARAMETERS:

```
T          - Temperature [K]  
P          - Temperature [Pa]  
params     - Vector with various parameters obtained by calling  
             LoadParams
```

### RETURNS:

```
hv         - Molar enthalpy of each component  
sv         - Molar entropy of each component  
vv         - Molar volume of each component  
dhvT      - Molar enthalpy 1st temperature derivative of each component  
dsvT      - Molar entropy 1st temperature derivative of each component  
dvvT      - Molar volume 1st temperature derivative of each component  
dsvP      - Molar entropy 1st pressure derivative of each component  
dvvP      - Molar volume 1st pressure derivative of each component  
d2hvT     - Molar enthalpy 2nd temperature derivative of each component  
d2svT     - Molar entropy 2nd temperature derivative of each component  
d2svP     - Molar entropy 2nd pressure derivative of each component  
d2vvP     - Molar volume 2nd pressure derivative of each component  
d2vvTP    - Molar volume 2nd pressure and temperature derivative of each component
```

### DEPENDENCIES:

```
IdGasHeatCap  
IdGasHeatCapInt
```

See also LoadParams

```
PureRealHSV          MixRealHSV  
PureRealVapHSV      MixRealVapHSV
```

PureRealLiqHSV	MixRealLiqHSV
PureFug	MixFug
PureResHSV	
PureResPhHSV	MixResPhHSV
PureSolveEoS	
PureSolvePhEoS	MixSolvePhEoS
PureRealSatTemp	
PureRealSatPres	
PureEvalEoS	MixEvalEoS
PureIdHSV	MixIdHSV
PureIdVapHSV	MixIdVapHSV
PureIdLiqHSV	MixIdLiqHSV
PureParams	MixParams
PureIdSatTemp	
IdGasHeatCap	
IdGasHeatCapInt	
IdLiqVol	
IdSatPres	
SolvePolynomiumNewton	

## 20. PureIdLiqHSV (Matlab/Mex)

Compute pure component molar liquid enthalpy, entropy and volume

### SYNOPSIS:

```
[h1, s1, v1, ...  
    dh1T, ds1T, dv1T, dh1P, ds1P, ...  
    d2h1T, d2s1T, d2v1T, d2h1TP, d2s1TP] = ...  
    PureIdLiqHSV(T, P, params)
```

### DESCRIPTION:

Computes molar enthalpy, entropy and volume of a set of pure components together with first and second order temperature and pressure derivatives. Derivatives are computed based on the number of output arguments.

Certain derivatives are not returned by this routine because they are zero (e.g. pressure derivative of volume  $d/dP v^l = 0$ )

### REQUIRED PARAMETERS:

T	- Temperature [K]
P	- Temperature [Pa]
params	- Vector with various parameters obtained by calling LoadParams

### RETURNS:

h1	- Molar enthalpy of each component
s1	- Molar entropy of each component
v1	- Molar volume of each component
dh1T	- Molar enthalpy 1st temperature derivative of each component
ds1T	- Molar entropy 1st temperature derivative of each component
dv1T	- Molar volume 1st temperature derivative of each component
dh1P	- Molar enthalpy 1st pressure derivative of each component
ds1P	- Molar entropy 1st pressure derivative of each component
d2h1T	- Molar enthalpy 2nd temperature derivative of each component
d2s1T	- Molar entropy 2nd temperature derivative of each component
d2v1T	- Molar volume 2nd temperature derivative of each component
d2h1TP	- Molar enthalpy 2nd pressure and temperature derivative of each component
d2s1TP	- Molar entropy 2nd pressure and temperature derivative of each component

### DEPENDENCIES:

PureIdVapHSV  
IdLiqVol  
IdSatPres

See also LoadParams

PureRealHSV

MixRealHSV

PureRealVapHSV	MixRealVapHSV
PureRealLiqHSV	MixRealLiqHSV
PureFug	MixFug
PureResHSV	
PureResPhHSV	MixResPhHSV
PureSolveEoS	
PureSolvePhEoS	MixSolvePhEoS
PureRealSatTemp	
PureRealSatPres	
PureEvalEoS	MixEvalEoS
PureIdHSV	MixIdHSV
PureIdVapHSV	MixIdVapHSV
PureIdLiqHSV	MixIdLiqHSV
PureParams	MixParams
PureIdSatTemp	
IdGasHeatCap	
IdGasHeatCapInt	
IdLiqVol	
IdSatPres	
SolvePolynomiumNewton	

## 21. MixParams (Matlab/Mex)

Compute van der Waals mixing rules  $a_m(T, n)$  and  $b_m(n)$

### SYNOPSIS:

```
[am, bm, ...  
 damT, damn, dbmn, ...  
 d2amT, d2amTn, d2amn, d2bmn, ...  
 d3amTn2, d3amT, d3amT2n] = ...  
 MixParams(T, n, params)
```

### DESCRIPTION:

Computes the van der Waals mixing parameters  $a_m(T, n)$  and  $b_m(n)$  based on the pure component properties  $a_i(T)$  and  $b_i$

$$\begin{aligned} a_m(T, n) &= \sum_{i=1}^{N_C} \sum_{j=1}^{N_C} x_i x_j a_{ij}(T) \\ b_m(n) &= \sum_{i=1}^{N_C} x_i b_{ij} \\ a_{ij}(T) &= (1 - k_{ij}) \sqrt{a_i(T) a_j(T)} \\ x_i &= n_i / \sum_{j=1}^{N_C} n_j \end{aligned}$$

The computations of derivatives are only computed if requested as output.

### REQUIRED PARAMETERS:

T            - Temperature [K]  
n            - mole numbers [kmol]  
params       - Vector with various parameters obtained by calling  
              LoadParams

### RETURNS:

am            - Mixing rule parameter  
bm            - Mixing rule parameter  
damT          - First order temperature derivative of am  
damn          - First order composition derivatives of am  
dbmn          - First order composition derivative of bm  
d2amT         - Second order temperature derivative of am  
d2amTn        - Second order temperature and composition derivatives of am  
d2amn         - Second order composition derivatives of am  
d2bmn         - Second order composition derivatives of bm  
d3amT         - Third order temperature derivative of am  
d3amT2n       - Third order temperature (x2) and composition derivatives of am  
d3amTn2       - Third order temperature and composition (x2) derivatives of am

### DEPENDENCIES:

PureParams

See also LoadParams



PureRealHSV	MixRealHSV
PureRealVapHSV	MixRealVapHSV
PureRealLiqHSV	MixRealLiqHSV
PureFug	MixFug
PureResHSV	
PureResPhHSV	MixResPhHSV
PureSolveEoS	
PureSolvePhEoS	MixSolvePhEoS
PureRealSatTemp	
PureRealSatPres	
PureEvalEoS	MixEvalEoS
PureIdHSV	MixIdHSV
PureIdVapHSV	MixIdVapHSV
PureIdLiqHSV	MixIdLiqHSV
PureParams	MixParams
PureIdSatTemp	
IdGasHeatCap	
IdGasHeatCapInt	
IdLiqVol	
IdSatPres	
SolvePolynomiumNewton	

## 22. PureParams (Matlab/Mex)

Compute pure component parameters  $a_i(T)$  and  $b_i$

SYNOPSIS:

```
[a, b, daT, d2aT, d3aT] = PureParams(T, params)
```

DESCRIPTION:

Computes the pure component parameters  $a_i(T)$  and  $b_i$  for  $i = 1, \dots, N_C$

$a_i(T)$	=	$\alpha(\text{Tr}, \omega) \Psi (RT_c)^2/P_c$
$b_i$	=	$\Omega RT_c/P_c$
$\alpha(\text{Tr}, \omega)$	=	$(1 + m(\omega) \sqrt{1 - \text{Tr}})^2$
$m(\omega)$	=	$m_0 + m_1 \omega + m_2 \omega^2$
$\text{Tr}$	=	$T/T_c$

The computations of derivatives are only computed if requested as output.

REQUIRED PARAMETERS:

T	-	Temperature [K]
params	-	Vector with various parameters obtained by calling LoadParams

RETURNS:

a	-	Pure component parameter
b	-	Pure component parameter
daT	-	First order temperature derivative of a
d2aT	-	Second order temperature derivative of a
d3aT	-	Third order temperature derivative of a

See also LoadParams

PureRealHSV	MixRealHSV
PureRealVapHSV	MixRealVapHSV
PureRealLiqHSV	MixRealLiqHSV
PureFug	MixFug
PureResHSV	
PureResPhHSV	MixResPhHSV
PureSolveEoS	
PureSolvePhEoS	MixSolvePhEoS
PureRealSatTemp	
PureRealSatPres	
PureEvalEoS	MixEvalEoS
PureIdHSV	MixIdHSV
PureIdVapHSV	MixIdVapHSV
PureIdLiqHSV	MixIdLiqHSV
PureParams	MixParams

PureIdSatTemp  
IdGasHeatCap  
IdGasHeatCapInt  
IdLiqVol  
IdSatPres  
SolvePolynomiumNewton

### 23. SolvePolynomiumCardano (Matlab/Mex)

Solve cubic equation analytically

SYNOPSIS:

```
roots = SolvePolynomiumCardano(d2, d1, d0)
```

DESCRIPTION:

Solves the cubic equations

$$Z^3 + d2 Z^2 + d1 Z + d0 = 0$$

using Cardano's formula

REQUIRED PARAMETERS:

d2 - Quadratic coefficient  
d1 - Linear coefficient  
d0 - Constant coefficient

RETURNS:

roots - The real root(s) of the cubic equation

See also LoadParams

PureRealHSV	MixRealHSV
PureRealVapHSV	MixRealVapHSV
PureRealLiqHSV	MixRealLiqHSV
PureFug	MixFug
PureResHSV	
PureResPhHSV	MixResPhHSV
PureSolveEoS	
PureSolvePhEoS	MixSolvePhEoS
PureRealSatTemp	
PureRealSatPres	
PureEvalEoS	MixEvalEoS
PureIdHSV	MixIdHSV
PureIdVapHSV	MixIdVapHSV
PureIdLiqHSV	MixIdLiqHSV
PureParams	MixParams
PureIdSatTemp	
IdGasHeatCap	
IdGasHeatCapInt	
IdLiqVol	
IdSatPres	
SolvePolynomiumNewton	

## 24. SolvePolynomiumNewton (Matlab/Mex)

Solve cubic equation iteratively

SYNOPSIS:

Z = SolvePolynomiumNewton(d2, d1, d0, Z0, tol, itmax)

DESCRIPTION:

Solves the cubic equation

$$q(Z) = Z^3 + d2 Z^2 + d1 Z + d0 = 0$$

using an iterative Newton approach. The approach is terminated when

$$|q(Z)| < \text{tol} \quad \text{and} \quad |\Delta Z| = |q(Z)/q'(Z)| < \text{tol}.$$

REQUIRED PARAMETERS:

d2 - Quadratic coefficient  
d1 - Linear coefficient  
d0 - Constant coefficient

OPTIONAL PARAMETERS:

tol - Tolerance for stopping criteria  
itmax - Maximum number of iterations

RETURNS:

Z - A single real root of the cubic equation

See also LoadParams

PureRealHSV	MixRealHSV
PureRealVapHSV	MixRealVapHSV
PureRealLiqHSV	MixRealLiqHSV
PureFug	MixFug
PureResHSV	
PureResPhHSV	MixResPhHSV
PureSolveEoS	
PureSolvePhEoS	MixSolvePhEoS
PureRealSatTemp	
PureRealSatPres	
PureEvalEoS	MixEvalEoS
PureIdHSV	MixIdHSV
PureIdVapHSV	MixIdVapHSV
PureIdLiqHSV	MixIdLiqHSV
PureParams	MixParams
PureIdSatTemp	
IdGasHeatCap	
IdGasHeatCapInt	

IdLiqVol  
IdSatPres  
SolvePolynomiumNewton

## 25. IdGasHeatCap (Matlab/Mex)

Compute ideal gas heat capacity

SYNOPSIS:

```
[cp, dcp] = IdGasHeatCap(T, params)
```

DESCRIPTION:

Computes ideal gas heat capacity using the DIPPR correlation

$$c_{P,k}^{ig}(T) = A_k + B_k((C_k/T)/\sinh(C_k/T))^2 + D_k((E_k/T)/\cosh(E_k/T))^2$$

and the first order derivative

REQUIRED PARAMETERS:

T           - Temperature, [K]  
params       - Vector with various parameters obtained by calling  
              LoadParams

RETURNS:

cp       - Ideal gas heat capacity  
dcp      - First temperature derivative

See also LoadParams

PureRealHSV	MixRealHSV
PureRealVapHSV	MixRealVapHSV
PureRealLiqHSV	MixRealLiqHSV
PureFug	MixFug
PureResHSV	
PureResPhHSV	MixResPhHSV
PureSolveEoS	
PureSolvePhEoS	MixSolvePhEoS
PureRealSatTemp	
PureRealSatPres	
PureEvalEoS	MixEvalEoS
PureIdHSV	MixIdHSV
PureIdVapHSV	MixIdVapHSV
PureIdLiqHSV	MixIdLiqHSV
PureParams	MixParams
PureIdSatTemp	
IdGasHeatCap	
IdGasHeatCapInt	
IdLiqVol	
IdSatPres	
SolvePolynomiumNewton	

## 26. IdGasHeatCapInt (Matlab/Mex)

Compute integrals of ideal gas heat capacity

SYNOPSIS:

```
[intcp, intcpT] = IdGasHeatCapInt(T, params)
```

DESCRIPTION:

Computes the following integrals of the ideal gas heat capacity

$$\begin{aligned} & \int_{T_0}^T c_{P,k}^{ig}(\tau) \, d\tau \\ & \int_{T_0}^T c_{P,k}^{ig}(\tau) / \tau \, d\tau \end{aligned}$$

where ideal gas heat capacity is defined by the DIPPR correlation

$$\begin{aligned} c_{P,k}^{ig}(T) = & A_k + B_k((C_k/T)/\sinh(C_k/T))^2 \\ & - D_k((E_k/T)/\cosh(E_k/T))^2 \end{aligned}$$

REQUIRED PARAMETERS:

T            - Temperature, [K]  
params       - Vector with various parameters obtained by calling  
              LoadParams

RETURNS:

intcp       - Integral of cp from T0 to T  
intcpT      - Integral of cp/T from T0 to T

See also LoadParams

PureRealHSV	MixRealHSV
PureRealVapHSV	MixRealVapHSV
PureRealLiqHSV	MixRealLiqHSV
PureFug	MixFug
PureResHSV	
PureResPhHSV	MixResPhHSV
PureSolveEoS	
PureSolvePhEoS	MixSolvePhEoS
PureRealSatTemp	
PureRealSatPres	
PureEvalEoS	MixEvalEoS
PureIdHSV	MixIdHSV
PureIdVapHSV	MixIdVapHSV
PureIdLiqHSV	MixIdLiqHSV
PureParams	MixParams
PureIdSatTemp	
IdGasHeatCap	
IdGasHeatCapInt	
IdLiqVol	



IdSatPres  
SolvePolynomiumNewton

## 27. IdLiqVol (Matlab/Mex)

Compute liquid volume

SYNOPSIS:

```
[v1, dvl, d2vl, d3vl] = IdLiqVol(T, params)
```

DESCRIPTION:

Computes liquid volume based on the DIPPR correlation

$$v1_k(T) = B_k^{(1 + (1 - T/C_k)^{D_k})/A_k}$$

The first, second and third order temperature derivatives are computed depending on the number of output arguments.

NOTE:

The DIPPR correlation is not limited to ideal substances as the name suggests but in this thermodynamic library it is only applied in the computation of ideal liquid properties.

REQUIRED PARAMETERS:

T                - Temperature [K]  
params          - Vector with various parameters obtained by calling  
                  LoadParams

RETURNS:

v1              - Vector of liquid volumes for each component, [m<sup>3</sup>]  
dvl             - First temperature derivative of liquid volumes  
d2vl            - Second temperature derivative of liquid volumes  
d3vl            - Third temperature derivative of liquid volumes

See also LoadParams

PureRealHSV	MixRealHSV
PureRealVapHSV	MixRealVapHSV
PureRealLiqHSV	MixRealLiqHSV
PureFug	MixFug
PureResHSV	
PureResPhHSV	MixResPhHSV
PureSolveEoS	
PureSolvePhEoS	MixSolvePhEoS
PureRealSatTemp	
PureRealSatPres	
PureEvalEoS	MixEvalEoS
PureIdHSV	MixIdHSV
PureIdVapHSV	MixIdVapHSV
PureIdLiqHSV	MixIdLiqHSV
PureParams	MixParams

PureIdSatTemp  
IdGasHeatCap  
IdGasHeatCapInt  
IdLiqVol  
IdSatPres  
SolvePolynomiumNewton

## 28. IdSatPres (Matlab/Mex)

Compute saturation pressure

SYNOPSIS:

```
[Psat, dPsat, d2Psat, d3Psat] = IdSatPres(T, params)
```

DESCRIPTION:

Computes saturation pressure using the DIPPR correlation

$$\ln P_{\text{sat}_k} = A_k + B_k/T + C_k \ln(T) + D_k T^{E_k}$$

The first, second and third order temperature derivatives are computed depending on the number of output arguments.

NOTE:

The DIPPR correlation is not limited to ideal substances as the name suggests but in this thermodynamic library it is only applied in the computation of ideal liquid properties.

REQUIRED PARAMETERS:

T           - Temperature [K]  
params       - Vector with various parameters obtained by calling  
              LoadParams

RETURNS:

Psat        - Vector of vapor pressures for each component [Pa]  
dPsat       - First temperature derivative of vapor pressures  
d2Psat      - Second temperature derivative of vapor pressures  
d3Psat      - Third temperature derivative of vapor pressures

See also LoadParams

PureRealHSV	MixRealHSV
PureRealVapHSV	MixRealVapHSV
PureRealLiqHSV	MixRealLiqHSV
PureFug	MixFug
PureResHSV	
PureResPhHSV	MixResPhHSV
PureSolveEoS	
PureSolvePhEoS	MixSolvePhEoS
PureRealSatTemp	
PureRealSatPres	
PureEvalEoS	MixEvalEoS
PureIdHSV	MixIdHSV
PureIdVapHSV	MixIdVapHSV
PureIdLiqHSV	MixIdLiqHSV
PureParams	MixParams

PureIdSatTemp  
IdGasHeatCap  
IdGasHeatCapInt  
IdLiqVol  
IdSatPres  
SolvePolynomiumNewton

## 29. LoadParams (C)

Load thermodynamic and equation of state parameters

### SYNOPSIS:

```
LoadParams(comp, NC, EOS, k, PathToData,  
           p);
```

### DESCRIPTION:

Loads parameters from the DIPPR database together with Peng-Robinson or Soave-Redlich-Kwong equation of state parameters

### REQUIRED PARAMETERS:

```
comp      - Array containing IDs of components (must have size NC)  
NC        - Number of components (length of comp)  
EOS       - Equation of state (1: PR, 0: SRK, -1: none)  
k         - Binary interaction parameters (must have size NC*NC if EOS >= 0)  
PathToData - Path to file with DIPPR data (default: NULL - uses data/DIPPRdata.dat)
```

### RETURNS:

```
p         - Array with thermodynamic and equation of state parameters (The function NoPar(
```

/

### 30. MixRealHSV (C)

Compute vapor and liquid enthalpy, entropy and volume of a real mixture

#### SYNOPSIS:

```
MixRealHSV(T, P, nv, nl, p, tol, itmax, nargout, memaux,  
Hv, Sv, Vv, Hl, Sl, Vl,  
dHv, dSv, dVv, dHl, dSl, dVl,  
d2Hv, d2Sv, d2Vv, d2Hl, d2Sl, d2Vl);
```

#### DESCRIPTION:

Computes enthalpy, entropy and volume of a real mixture together with first and second order temperature and pressure derivatives. Derivatives are computed based on the number of output arguments.

The output is formatted such that for the first order derivatives

```
Element 1 : temperature derivative  
Element 2 : pressure derivative  
Element 3+: composition derivatives
```

and for the symmetric second order derivatives

```
Element (1, 1) : temperature derivative  
Element (2, 1) : temperature and pressure derivative  
Element (2, 2) : pressure derivative  
Elements (3+, 1) : temperature and composition derivatives  
Elements (3+, 2) : pressure and composition derivatives  
Elements (3+, 3+): composition derivatives
```

#### REQUIRED PARAMETERS:

```
T          - Temperature [K]  
P          - Temperature [Pa]  
nv         - mole numbers in vapor phase [kmol]  
nl         - mole numbers in liquid phase [kmol]  
p          - Vector with various parameters obtained by calling LoadParams  
nargout    - Number of output arguments  
memaux     - Auxiliary memory must be size  
              nargout > 6: 6*(NC + 2)^2 + 6*(NC + 2) + 54*NC + 6*NC^2 memory  
nargout > 3: 6*(NC + 2) + 39*NC          memory  
else      : 15*NC                       memory
```

#### OPTIONAL PARAMETERS:

```
tol        - Tolerance for Newton iterations (-1 for default)  
itmax      - Maximum number of Newton iterations (-1 for default)
```

RETURNS:

Hv - Vapor enthalpy (scalar)  
Sv - Vapor entropy (scalar)  
Vv - Vapor volume (scalar)  
Hl - Liquid enthalpy (scalar)  
Sl - Liquid entropy (scalar)  
Vl - Liquid volume (scalar)  
dHv - 1st derivatives (must be size 2 + NC)  
dSv - 1st derivatives (must be size 2 + NC)  
dVv - 1st derivatives (must be size 2 + NC)  
dHl - 1st derivatives (must be size 2 + NC)  
dSl - 1st derivatives (must be size 2 + NC)  
dVl - 1st derivatives (must be size 2 + NC)  
d2Hv - 2nd derivatives (must be size (2 + NC)<sup>2</sup>)  
d2Sv - 2nd derivatives (must be size (2 + NC)<sup>2</sup>)  
d2Vv - 2nd derivatives (must be size (2 + NC)<sup>2</sup>)  
d2Hl - 2nd derivatives (must be size (2 + NC)<sup>2</sup>)  
d2Sl - 2nd derivatives (must be size (2 + NC)<sup>2</sup>)  
d2Vl - 2nd derivatives (must be size (2 + NC)<sup>2</sup>)

DEPENDENCIES:

PureIdVap  
MixResPhHSV



### 31. MixRealVapHSV (C)

Compute enthalpy, entropy and volume of a real vapor mixture

#### SYNOPSIS:

```
MixRealVapHSV(T, P, nv, p, tol, itmax, nargout, memaux,  
             Hv, Sv, Vv,  
             dHv, dSv, dVv,  
             d2Hv, d2Sv, d2Vv);
```

#### DESCRIPTION:

Computes enthalpy, entropy and volume of a real vapor mixture together with first and second order temperature and pressure derivatives. Derivatives are computed based on the number of output arguments.

The output is formatted such that for the first order derivatives

```
Element 1 : temperature derivative  
Element 2 : pressure derivative  
Element 3+: composition derivatives
```

and for the symmetric second order derivatives

```
Element (1, 1) : temperature derivative  
Element (2, 1) : temperature and pressure derivative  
Element (2, 2) : pressure derivative  
Elements (3+, 1) : temperature and composition derivatives  
Elements (3+, 2) : pressure and composition derivatives  
Elements (3+, 3+): composition derivatives
```

#### REQUIRED PARAMETERS:

```
T           - Temperature [K]  
P           - Temperature [Pa]  
nv          - mole numbers in vapor phase [kmol]  
p           - Vector with various parameters obtained by calling LoadParams  
nargout     - Number of output arguments  
memaux      - Auxiliary memory must be size  
              nargout > 6: 6*(NC + 2)^2 + 6*(NC + 2) + 46*NC + 6*NC^2 memory  
nargout > 3:           6*(NC + 2) + 35*NC           memory  
else        :           15*NC                       memory
```

#### OPTIONAL PARAMETERS:

```
tol         - Tolerance for Newton iterations (-1 for default)  
itmax       - Maximum number of Newton iterations (-1 for default)
```

#### RETURNS:

Hv - Vapor enthalpy (scalar)  
Sv - Vapor entropy (scalar)  
Vv - Vapor volume (scalar)  
dHv - 1st derivatives (must be size 2 + NC)  
dSv - 1st derivatives (must be size 2 + NC)  
dVv - 1st derivatives (must be size 2 + NC)  
d2Hv - 2nd derivatives (must be size (2 + NC)<sup>2</sup>)  
d2Sv - 2nd derivatives (must be size (2 + NC)<sup>2</sup>)  
d2Vv - 2nd derivatives (must be size (2 + NC)<sup>2</sup>)

DEPENDENCIES:

MixIdVapHSV  
MixResPhHSV

### 32. MixRealLiqHSV (C)

Compute enthalpy, entropy and volume of a real liquid mixture

#### SYNOPSIS:

```
MixRealLiqHSV(T, P, nl, p, tol, itmax, nargout, memaux,  
             H1, S1, V1,  
             dH1, dS1, dV1,  
             d2H1, d2S1, d2V1);
```

#### DESCRIPTION:

Computes enthalpy, entropy and volume of a real liquid mixture together with first and second order temperature and pressure derivatives. Derivatives are computed based on the number of output arguments.

The output is formatted such that for the first order derivatives

```
Element 1 : temperature derivative  
Element 2 : pressure derivative  
Element 3+: composition derivatives
```

and for the symmetric second order derivatives

```
Element (1, 1) : temperature derivative  
Element (2, 1) : temperature and pressure derivative  
Element (2, 2) : pressure derivative  
Elements (3+, 1) : temperature and composition derivatives  
Elements (3+, 2) : pressure and composition derivatives  
Elements (3+, 3+): composition derivatives
```

#### REQUIRED PARAMETERS:

```
T           - Temperature [K]  
P           - Temperature [Pa]  
nl          - mole numbers in liquid phase [kmol]  
p           - Vector with various parameters obtained by calling LoadParams  
nargout     - Number of output arguments  
memaux      - Auxiliary memory must be size  
              nargout > 6: 6*(NC + 2)^2 + 6*(NC + 2) + 46*NC + 6*NC^2 memory  
nargout > 3: 6*(NC + 2) + 35*NC          memory  
else       : 15*NC                       memory
```

#### OPTIONAL PARAMETERS:

```
tol         - Tolerance for Newton iterations (-1 for default)  
itmax       - Maximum number of Newton iterations (-1 for default)
```

#### RETURNS:

H1 - Liquid enthalpy (scalar)  
S1 - Liquid entropy (scalar)  
V1 - Liquid volume (scalar)  
dH1 - 1st derivatives (must be size 2 + NC)  
dS1 - 1st derivatives (must be size 2 + NC)  
dV1 - 1st derivatives (must be size 2 + NC)  
d2H1 - 2nd derivatives (must be size (2 + NC)<sup>2</sup>)  
d2S1 - 2nd derivatives (must be size (2 + NC)<sup>2</sup>)  
d2V1 - 2nd derivatives (must be size (2 + NC)<sup>2</sup>)

DEPENDENCIES:

MixIdVapHSV  
MixResPhHSV

### 33. MixResPhHSV (C)

Compute volume and residual enthalpy and entropy of phase

SYNOPSIS:

```
MixResPhHSV(T, P, n, phase, p, tol, itmax, nargout, memaux,
    h, s, v,
    dh, ds, dv,
    d2h, d2s, d2v);
```

DESCRIPTION:

Computes volume and residual enthalpy and entropy of a real mixture together with first and second order temperature and pressure derivatives. Derivatives are computed based on the number of output arguments. The enthalpy and entropy are obtained from a cubic equation of state

$$h^R(T, P) = RT \ln(Z - 1) + 1/((\epsilon - \sigma) b_m)(T \frac{d a_m}{dT} - a_m(T))f(Z, B)$$

$$s^R(T, P) = R \ln(Z - 1) + 1/((\epsilon - \sigma) b_m) \frac{d a_m}{dT} f(Z, B)$$

where

$$f(Z, B) = \ln( (Z + \epsilon B) / (Z + \sigma B) )$$

The volume is obtained by solution of a cubic equation of state and the quadratic van der Waals mixing rules

$$\begin{aligned} a_m(T, n) &= \sum_{i=1}^{N_C} \sum_{j=1}^{N_C} x_i x_j a_{ij}(T) \\ b_m(n) &= \sum_{i=1}^{N_C} x_i b_{ij} \\ a_{ij}(T) &= (1 - k_{ij}) \sqrt{a_i(T) a_j(T)} \\ x_i &= n_i / \sum_{j=1}^{N_C} n_j \\ a_i(T) &= \alpha(\text{Tr}, \omega) \text{Psi} (RT_c)^2 / P_c \\ b_i &= \Omega RT_c / P_c \\ \alpha(\text{Tr}, \omega) &= (1 + m(\omega) \sqrt{1 - \text{Tr}})^2 \\ m(\omega) &= m_0 + m_1 \omega + m_2 \omega^2 \\ \text{Tr} &= T / T_c \end{aligned}$$

The output is formatted such that for the first order derivatives

```
Element 1 : temperature derivative
Element 2 : pressure derivative
Element 3+: composition derivatives
```

and for the symmetric second order derivatives

```
Element (1, 1) : temperature derivative
Element (2, 1) : temperature and pressure derivative
```

Element (2, 2) : pressure derivative  
Elements (3+, 1) : temperature and composition derivatives  
Elements (3+, 2) : pressure and composition derivatives  
Elements (3+, 3+) : composition derivatives

REQUIRED PARAMETERS:

T - Temperature [K]  
P - Temperature [Pa]  
n - mole numbers [kmol]  
phase - 0: vapor, 1:liquid  
p - Vector with various parameters obtained by calling LoadParams  
nargout - Number of output arguments  
memaux - Auxiliary memory must be size  
          nargout > 6: 39\*NC + 6\*NC\*NC memory  
          nargout > 3: 29\*NC memory  
          else : 10\*NC memory

OPTIONAL PARAMETERS:

tol - Tolerance for Newton iterations (-1 for default)  
itmax - Maximum number of Newton iterations (-1 for default)

RETURNS:

h - Residual enthalpy (scalar)  
s - Residual entropy (scalar)  
v - Volume (scalar)  
dh - 1st derivatives (must be size 2 + NC)  
ds - 1st derivatives (must be size 2 + NC)  
dv - 1st derivatives (must be size 2 + NC)  
d2h - 2nd derivatives (must be size (2 + NC)^2)  
d2s - 2nd derivatives (must be size (2 + NC)^2)  
d2v - 2nd derivatives (must be size (2 + NC)^2)

DEPENDENCIES:

MixParams  
MixSolvePhEoS

### 34. MixSolvePhEoS (C)

Solve cubic equation of state for compressibility factor

#### SYNOPSIS:

```
MixSolvePhEoS(T, P, n, phase, p, tol, itmax, nargout, memaux,  
Z,  
dZT, dZP, dZn,  
d2ZT, d2ZP,  
d2ZTP, d2ZTn, d2ZPn, d2Zn);
```

#### DESCRIPTION:

Solves a cubic equation of state and the quadratic van der Waals mixing rules

$$P = RT/(V - bm) - am(T)/((V + \epsilon bm)(V + \sigma bm))$$

for the compressibility factor. Other functions are

$$\begin{aligned} am(T, n) &= \sum_{i=1}^{N_C} \sum_{j=1}^{N_C} x_i x_j a_{ij}(T) \\ bm(n) &= \sum_{i=1}^{N_C} x_i b_{ij} \\ a_{ij}(T) &= (1 - k_{ij}) \sqrt{a_i(T) a_j(T)} \\ x_i &= n_i / \sum_{j=1}^{N_C} n_j \\ a_i(T) &= \alpha(\text{Tr}, \omega) \text{Psi} (RTc)^2/Pc \\ b_i &= \Omega RTc/Pc \\ \alpha(\text{Tr}, \omega) &= (1 + m(\omega) \sqrt{1 - \text{Tr}})^2 \\ m(\omega) &= m_0 + m_1 \omega + m_2 \omega^2 \\ \text{Tr} &= T/Tc \end{aligned}$$

#### REQUIRED PARAMETERS:

```
T          - Temperature [K]  
P          - Pressure [Pa]  
n          - mole numbers [kmol]  
phase     - 0: vapor, 1: liquid  
p         - Vector with various parameters obtained by calling LoadParams  
nargout   - Number of output arguments  
memaux    - Auxiliary memory must be size  
            nargout > 4: 16*NC + 2*NC*NC memory  
            nargout > 1: 12*NC          memory  
            else       : 4*NC          memory
```

#### OPTIONAL PARAMETERS:

```
tol        - Tolerance for Newton iterations (-1 for default)  
itmax     - Maximum number of Newton iterations (-1 for default)
```

#### RETURNS:

```
Z          - Compressibility factor (scalar)
```

dZT - 1st temperature derivative (scalar)  
dZP - 1st pressure derivative (scalar)  
dZn - 1st composition derivatives (must be size NC)  
d2ZT - 2nd temperature derivative (scalar)  
d2ZP - 2nd pressure derivative (scalar)  
d2ZTP - 2nd temperature and pressure derivative (scalar)  
d2ZTn - 2nd temperature and composition derivatives (must be size NC)  
d2ZPn - 2nd pressure and composition derivatives (must be size NC)  
d2Zn - 2nd composition derivatives (must be size NC\*NC)

DEPENDENCIES:

MixParams  
SolvePolynomiumNewton



### 35. MixIdHSV (C)

Compute vapor and liquid enthalpy, entropy and volume of an ideal mixture

#### SYNOPSIS:

```
MixIdHSV(T, P, nv, nl, p, nargout, memaux,  
Hv, Sv, Vv, Hl, Sl, Vl,  
dHv, dSv, dVv, dHl, dSl, dVl,  
d2Hv, d2Sv, d2Vv, d2Hl, d2Sl, d2Vl);
```

#### DESCRIPTION:

Computes enthalpy, entropy and volume of an ideal mixture together with first and second order temperature and pressure derivatives. Derivatives are computed based on the number of output arguments.

The output is formatted such that for the first order derivatives

```
Element 1 : temperature derivative  
Element 2 : pressure derivative  
Element 3+: composition derivatives
```

and for the symmetric second order derivatives

```
Element (1, 1) : temperature derivative  
Element (2, 1) : temperature and pressure derivative  
Element (2, 2) : pressure derivative  
Elements (3+, 1) : temperature and composition derivatives  
Elements (3+, 2) : pressure and composition derivatives  
Elements (3+, 3+): composition derivatives
```

#### REQUIRED PARAMETERS:

```
T          - Temperature [K]  
P          - Temperature [Pa]  
nv         - mole numbers in vapor phase [kmol]  
nl         - mole numbers in liquid phase [kmol]  
p          - Vector with various parameters obtained by calling LoadParams  
nargout    - Number of output arguments  
memaux     - Auxiliary memory must be size  
              nargout > 12: 32*NC memory  
              nargout > 6: 29*NC memory  
              else          : 17*NC memory
```

#### RETURNS:

```
Hv         - Enthalpy of vapor phase (scalar)  
Sv         - Entropy of vapor phase (scalar)  
Vv         - Volume of vapor phase (scalar)
```

H1 - Enthalpy of liquid phase (scalar)  
 S1 - Entropy of liquid phase (scalar)  
 V1 - Volume of liquid phase (scalar)  
 dHv - First order derivatives (must have size (2 + NC))  
 dSv - First order derivatives (must have size (2 + NC))  
 dVv - First order derivatives (must have size (2 + NC))  
 dH1 - First order derivatives (must have size (2 + NC))  
 dS1 - First order derivatives (must have size (2 + NC))  
 dV1 - First order derivatives (must have size (2 + NC))  
 d2Hv - Second order derivatives (must have size (2 + NC)<sup>2</sup>)  
 d2Sv - Second order derivatives (must have size (2 + NC)<sup>2</sup>)  
 d2Vv - Second order derivatives (must have size (2 + NC)<sup>2</sup>)  
 d2H1 - Second order derivatives (must have size (2 + NC)<sup>2</sup>)  
 d2S1 - Second order derivatives (must have size (2 + NC)<sup>2</sup>)  
 d2V1 - Second order derivatives (must have size (2 + NC)<sup>2</sup>)

DEPENDENCIES:

IdLiqVol  
 IdSatPres  
 IdGasHeatCap  
 IdGasHeatCapInt

### 36. MixIdVapHSV (C)

Compute enthalpy, entropy and volume of an ideal vapor mixture

#### SYNOPSIS:

```
MixIdVapHSV(T, P, nv, p, nargout, memaux,  
            Hv, Sv, Vv,  
            dHv, dSv, dVv,  
            d2Hv, d2Sv, d2Vv);
```

#### DESCRIPTION:

Computes enthalpy, entropy and volume of an ideal vapor mixture based on the ideal gas law and DIPPR correlations. First and second order temperature and pressure derivatives are computed based on the number of output arguments.

The output is formatted such that for the first order derivatives

```
Element 1 : temperature derivative  
Element 2 : pressure derivative  
Element 3+: composition derivatives
```

and for the symmetric second order derivatives

```
Element (1, 1) : temperature derivative  
Element (2, 1) : temperature and pressure derivative  
Element (2, 2) : pressure derivative  
Elements (3+, 1) : temperature and composition derivatives  
Elements (3+, 2) : pressure and composition derivatives  
Elements (3+, 3+) : composition derivatives
```

#### REQUIRED PARAMETERS:

```
T          - Temperature [K]  
P          - Temperature [Pa]  
nv         - mole numbers in vapor phase [kmol]  
p          - Vector with various parameters obtained by calling LoadParams  
nargout    - Number of output arguments  
memaux     - Auxiliary memory must be size  
              nargout > 6: 7*NC memory  
              nargout > 3: 6*NC memory  
              else       : 5*NC memory
```

#### RETURNS:

```
Hv        - Enthalpy of vapor phase (scalar)  
Sv        - Entropy of vapor phase (scalar)  
Vv        - Volume of vapor phase (scalar)
```

dHv - First order derivatives (must have size  $(2 + NC)$ )  
dSv - First order derivatives (must have size  $(2 + NC)$ )  
dVv - First order derivatives (must have size  $(2 + NC)$ )  
d2Hv - Second order derivatives (must have size  $(2 + NC)^2$ )  
d2Sv - Second order derivatives (must have size  $(2 + NC)^2$ )  
d2Vv - Second order derivatives (must have size  $(2 + NC)^2$ )

DEPENDENCIES:

IdGasHeatCap  
IdGasHeatCapInt

### 37. MixIdLiqHSV (C)

Compute enthalpy, entropy and volume of an ideal liquid mixture

#### SYNOPSIS:

```
MixIdLiqHSV(T, P, nl, p, nargout, memaux,  
            H1, S1, V1,  
            dH1, dS1, dV1,  
            d2H1, d2S1, d2V1);
```

#### DESCRIPTION:

Computes enthalpy, entropy and volume of an ideal liquid mixture together with first and second order temperature and pressure derivatives. Derivatives are computed based on the number of output arguments.

The output is formatted such that for the first order derivatives

```
Element 1 : temperature derivative  
Element 2 : pressure derivative  
Element 3+: composition derivatives
```

and for the symmetric second order derivatives

```
Element (1, 1) : temperature derivative  
Element (2, 1) : temperature and pressure derivative  
Element (2, 2) : pressure derivative  
Elements (3+, 1) : temperature and composition derivatives  
Elements (3+, 2) : pressure and composition derivatives  
Elements (3+, 3+) : composition derivatives
```

#### REQUIRED PARAMETERS:

```
T           - Temperature [K]  
P           - Temperature [Pa]  
nl          - mole numbers in liquid phase [kmol]  
p           - Vector with various parameters obtained by calling LoadParams  
nargout     - Number of output arguments  
memaux      - Auxiliary memory must be size  
              nargout > 6: 31*NC memory  
              nargout > 2: 28*NC memory  
              else       : 16*NC memory
```

#### RETURNS:

```
H1          - Enthalpy of liquid phase (scalar)  
S1          - Entropy of liquid phase (scalar)  
V1          - Volume of liquid phase (scalar)  
dH1        - First order derivatives (must have size (2 + NC))
```

dS1 - First order derivatives (must have size  $(2 + NC)$ )  
dV1 - First order derivatives (must have size  $(2 + NC)$ )  
d2H1 - Second order derivatives (must have size  $(2 + NC)^2$ )  
d2S1 - Second order derivatives (must have size  $(2 + NC)^2$ )  
d2V1 - Second order derivatives (must have size  $(2 + NC)^2$ )

DEPENDENCIES:

MixIdVapHSV  
IdLiqVol  
IdSatPres  
IdGasHeatCap  
IdGasHeatCapInt

### 38. PureRealHSV (C)

Compute pure component vapor and liquid enthalpy, entropy and volume

#### SYNOPSIS:

```
PureRealHSV(T, P, p, tol, itmax, nargout, memaux,  
    hv,    sv,    vv,    hl,    sl,    vl,  
    dhvT, dsvT, dvvT, dhvP, dsvP, dvvP,  
    dhlT, dslT, dvlT, dhlP, dslP, dvlP,  
    d2hvT, d2svT, d2vvT, d2hvP, d2svP, d2vvP, d2hvTP, d2svTP, d2vvTP,  
    d2hlT, d2slT, d2vlT, d2hlP, d2slP, d2vlP, d2hlTP, d2slTP, d2vlTP);
```

#### DESCRIPTION:

Computes liquid enthalpy, entropy and volume of real pure components together with first and second order temperature and pressure derivatives. Derivatives are computed based on the number of output arguments.

The enthalpy and entropy are computed from ideal and residual properties while the volume is obtained as the solution to a cubic equation of state

#### REQUIRED PARAMETERS:

```
T          - Temperature [K]  
P          - Temperature [Pa]  
p          - Vector with various parameters obtained by calling LoadParams  
nargout    - Number of output arguments  
memaux     - Auxiliary memory must be size  
              nargout > 9: 50*NC memory
```

```
nargout > 3: 31*NC memory
```

```
else      : 9*NC memory
```

#### OPTIONAL PARAMETERS:

```
tol        - Tolerance for Newton iterations (-1 for default)  
itmax     - Maximum number of Newton iterations (-1 for default)
```

#### RETURNS:

```
hv         - Molar enthalpy of each component (must be size NC)  
sv         - Molar entropy of each component (must be size NC)  
vv         - Molar volume of each component (must be size NC)  
hl         - Molar enthalpy of each component (must be size NC)  
sl         - Molar entropy of each component (must be size NC)  
vl         - Molar volume of each component (must be size NC)  
dhvT      - 1st temperature derivative (must be size NC)  
dsvT      - 1st temperature derivative (must be size NC)  
dvvT      - 1st temperature derivative (must be size NC)  
dhvP      - 1st pressure derivative (must be size NC)
```

dsvP - 1st pressure derivative (must be size NC)  
dsvP - 1st pressure derivative (must be size NC)  
dh1T - 1st temperature derivative (must be size NC)  
ds1T - 1st temperature derivative (must be size NC)  
dv1T - 1st temperature derivative (must be size NC)  
dh1P - 1st pressure derivative (must be size NC)  
ds1P - 1st pressure derivative (must be size NC)  
ds1P - 1st pressure derivative (must be size NC)  
d2hvT - 2nd temperature derivative (must be size NC)  
d2svT - 2nd temperature derivative (must be size NC)  
d2vvT - 2nd temperature derivative (must be size NC)  
d2hvP - 2nd pressure derivative (must be size NC)  
d2svP - 2nd pressure derivative (must be size NC)  
d2vvP - 2nd pressure derivative (must be size NC)  
d2hvTP - 2nd pressure and temperature derivative (must be size NC)  
d2svTP - 2nd pressure and temperature derivative (must be size NC)  
d2vvTP - 2nd pressure and temperature derivative (must be size NC)  
d2h1T - 2nd temperature derivative (must be size NC)  
d2s1T - 2nd temperature derivative (must be size NC)  
d2v1T - 2nd temperature derivative (must be size NC)  
d2h1P - 2nd pressure derivative (must be size NC)  
d2s1P - 2nd pressure derivative (must be size NC)  
d2v1P - 2nd pressure derivative (must be size NC)  
d2h1TP - 2nd pressure and temperature derivative (must be size NC)  
d2s1TP - 2nd pressure and temperature derivative (must be size NC)  
d2v1TP - 2nd pressure and temperature derivative (must be size NC)

DEPENDENCIES:

PureIdVapHSV  
PureResHSV



### 39. PureRealVapHSV (C)

Compute pure component vapor enthalpy, entropy and volume

#### SYNOPSIS:

```
PureRealVapHSV(T, P, p, tol, itmax, nargout, memaux,  
  hv,    sv,    vv,  
  dhvT, dsvT, dvvT, dhvP, dsvP, dvvP,  
  d2hvT, d2svT, d2vvT, d2hvP, d2svP, d2vvP, d2hvTP, d2svTP, d2vvTP);
```

#### DESCRIPTION:

Computes vapor enthalpy, entropy and volume of real pure components together with first and second order temperature and pressure derivatives. Derivatives are computed based on the number of output arguments.

The enthalpy and entropy are computed from ideal and residual properties while the volume is obtained as the solution to a cubic equation of state

#### REQUIRED PARAMETERS:

```
T          - Temperature [K]  
P          - Temperature [Pa]  
p          - Vector with various parameters obtained by calling LoadParams  
nargout    - Number of output arguments  
memaux     - Auxiliary memory must be size  
              nargout > 9: 40*NC memory  
              nargout > 3: 26*NC memory  
              else       : 13*NC memory
```

#### OPTIONAL PARAMETERS:

```
tol        - Tolerance for Newton iterations (-1 for default)  
itmax     - Maximum number of Newton iterations (-1 for default)
```

#### RETURNS:

```
hv         - Molar enthalpy of each component (must be size NC)  
sv         - Molar entropy of each component (must be size NC)  
vv         - Molar volume of each component (must be size NC)  
dhvT      - 1st temperature derivative (must be size NC)  
dsvT      - 1st temperature derivative (must be size NC)  
dvvT      - 1st temperature derivative (must be size NC)  
dhvP      - 1st pressure derivative (must be size NC)  
dsvP      - 1st pressure derivative (must be size NC)  
dsvP      - 1st pressure derivative (must be size NC)  
d2hvT     - 2nd temperature derivative (must be size NC)  
d2svT     - 2nd temperature derivative (must be size NC)  
d2vvT     - 2nd temperature derivative (must be size NC)
```

d2hvP - 2nd pressure derivative (must be size NC)  
d2svP - 2nd pressure derivative (must be size NC)  
d2vvP - 2nd pressure derivative (must be size NC)  
d2hvTP - 2nd pressure and temperature derivative (must be size NC)  
d2svTP - 2nd pressure and temperature derivative (must be size NC)  
d2vvTP - 2nd pressure and temperature derivative (must be size NC)

DEPENDENCIES:

PureIdVapHSV  
PureResPhHSV

#### 40. PureRealLiqHSV (C)

Compute pure component liquid enthalpy, entropy and volume

##### SYNOPSIS:

```
PureRealLiqHSV(T, P, p, tol, itmax, nargout, memaux,  
  hl,    sl,    vl,  
  dh1T, ds1T, dv1T, dh1P, ds1P, dv1P,  
  d2h1T, d2s1T, d2v1T, d2h1P, d2s1P, d2v1P, d2h1TP, d2s1TP, d2v1TP);
```

##### DESCRIPTION:

Computes liquid enthalpy, entropy and volume of real pure components together with first and second order temperature and pressure derivatives. Derivatives are computed based on the number of output arguments.

The enthalpy and entropy are computed from ideal and residual properties while the volume is obtained as the solution to a cubic equation of state

##### REQUIRED PARAMETERS:

```
T          - Temperature [K]  
P          - Temperature [Pa]  
p          - Vector with various parameters obtained by calling LoadParams  
nargout    - Number of output arguments  
memaux     - Auxiliary memory must be size  
              nargout > 9: 40*NC memory  
              nargout > 3: 26*NC memory  
              else       : 13*NC memory
```

##### OPTIONAL PARAMETERS:

```
tol        - Tolerance for Newton iterations (-1 for default)  
itmax      - Maximum number of Newton iterations (-1 for default)
```

##### RETURNS:

```
hl         - Molar enthalpy of each component (must be size NC)  
sl         - Molar entropy of each component (must be size NC)  
vl         - Molar volume of each component (must be size NC)  
dh1T      - 1st temperature derivative (must be size NC)  
ds1T      - 1st temperature derivative (must be size NC)  
dv1T      - 1st temperature derivative (must be size NC)  
dh1P      - 1st pressure derivative (must be size NC)  
ds1P      - 1st pressure derivative (must be size NC)  
ds1P      - 1st pressure derivative (must be size NC)  
d2h1T     - 2nd temperature derivative (must be size NC)  
d2s1T     - 2nd temperature derivative (must be size NC)  
d2v1T     - 2nd temperature derivative (must be size NC)
```

d2h1P - 2nd pressure derivative (must be size NC)  
d2s1P - 2nd pressure derivative (must be size NC)  
d2v1P - 2nd pressure derivative (must be size NC)  
d2h1TP - 2nd pressure and temperature derivative (must be size NC)  
d2s1TP - 2nd pressure and temperature derivative (must be size NC)  
d2v1TP - 2nd pressure and temperature derivative (must be size NC)

DEPENDENCIES:

PureIdVapHSV  
PureResPhHSV

#### 41. PureResHSV (C)

Compute volume and residual enthalpy and entropy of pure components

##### SYNOPSIS:

```
PureResHSV(T, P, p, tol, itmax, nargout, memaux,  
  hv,    sv,    vv,    hl,    sl,    vl,  
  dhvT,  dsvT,  dvvT,  dhvP,  dsvP,  dvvP,  
  dhlT,  dslT,  dvlT,  dhlP,  dslP,  dvlP,  
  d2hvT, d2svT, d2vvT, d2hvP, d2svP, d2vvP, d2hvTP, d2svTP, d2vvTP,  
  d2hlT, d2slT, d2vlT, d2hlP, d2slP, d2vlP, d2hlTP, d2slTP, d2vlTP);
```

##### DESCRIPTION:

Computes volume and residual enthalpy and entropy of a pure components using a cubic equation of state. First and second order temperature and pressure derivatives are computed based on the number of output arguments. The residual enthalpy and entropy are obtained from the cubic equation of state

$$\begin{aligned}h^R(T, P) &= RT \ln(Z - 1) + 1/((\epsilon - \sigma) b) (T da/dT - a(T)) f(Z, B) \\s^R(T, P) &= R \ln(Z - 1) + 1/((\epsilon - \sigma) b) da/dT f(Z, B)\end{aligned}$$

where

$$f(Z, B) = \ln( (Z + \epsilon B) / (Z + \sigma B) )$$

The volume is obtained by solution of the cubic equation of state

$$\begin{aligned}P &= RT/(V - b) - a(T)/(V^2 + 2Vb - b^2) \\a(T) &= \alpha(\text{Tr}, \omega) \text{Psi} (RT_c)^2/P_c \\b &= \Omega RT_c/P_c \\ \alpha(\text{Tr}, \omega) &= (1 + m(\omega)\sqrt{1 - \text{Tr}})^2 \\ m(\omega) &= m_0 + m_1 \omega + m_2 \omega^2 \\ \text{Tr} &= T/T_c \\ \text{Psi} &= 0.45724 \\ \Omega &= 0.07779\end{aligned}$$

##### REQUIRED PARAMETERS:

```
T      - Temperature [K]  
P      - Temperature [Pa]  
p      - Vector with various parameters obtained by calling LoadParams  
nargout - Number of output arguments  
memaux - Auxiliary memory must be size  
        nargout > 9: 21*NC memory  
        nargout > 3: 13*NC memory  
        else       : 7*NC memory
```

OPTIONAL PARAMETERS:

tol - Tolerance for Newton iterations (-1 for default)  
itmax - Maximum number of Newton iterations (-1 for default)

RETURNS:

hv - Molar enthalpy of each component  
sv - Molar entropy of each component  
vv - Molar volume of each component  
hl - Molar enthalpy of each component  
sl - Molar entropy of each component  
vl - Molar volume of each component  
dhvT - 1st temperature derivative (must be size NC)  
dsvT - 1st temperature derivative (must be size NC)  
dvvT - 1st temperature derivative (must be size NC)  
dhvP - 1st pressure derivative (must be size NC)  
dsvP - 1st pressure derivative (must be size NC)  
dsvP - 1st pressure derivative (must be size NC)  
dhlT - 1st temperature derivative (must be size NC)  
dslT - 1st temperature derivative (must be size NC)  
dvlT - 1st temperature derivative (must be size NC)  
dhlP - 1st pressure derivative (must be size NC)  
dslP - 1st pressure derivative (must be size NC)  
dslP - 1st pressure derivative (must be size NC)  
d2hvT - 2nd temperature derivative (must be size NC)  
d2svT - 2nd temperature derivative (must be size NC)  
d2vvT - 2nd temperature derivative (must be size NC)  
d2hvP - 2nd pressure derivative (must be size NC)  
d2svP - 2nd pressure derivative (must be size NC)  
d2vvP - 2nd pressure derivative (must be size NC)  
d2hvTP - 2nd pressure and temperature derivative (must be size NC)  
d2svTP - 2nd pressure and temperature derivative (must be size NC)  
d2vvTP - 2nd pressure and temperature derivative (must be size NC)  
d2hlT - 2nd temperature derivative (must be size NC)  
d2slT - 2nd temperature derivative (must be size NC)  
d2vlT - 2nd temperature derivative (must be size NC)  
d2hlP - 2nd pressure derivative (must be size NC)  
d2slP - 2nd pressure derivative (must be size NC)  
d2vlP - 2nd pressure derivative (must be size NC)  
d2hlTP - 2nd pressure and temperature derivative (must be size NC)  
d2slTP - 2nd pressure and temperature derivative (must be size NC)  
d2vlTP - 2nd pressure and temperature derivative (must be size NC)

DEPENDENCIES:

PureParams  
PureSolveEoS

## 42. PureResPhHSV (C)

Compute volume and residual enthalpy and entropy of pure components

### SYNOPSIS:

```
PureResPhHSV(T, P, phase, p, tol, itmax, nargout, memaux,  
h, s, v,  
dhT, dsT, dvT, dhP, dsP, dvP,  
d2hT, d2sT, d2vT, d2hP, d2sP, d2vP, d2hTP, d2sTP, d2vTP);
```

### DESCRIPTION:

Computes volume and residual enthalpy and entropy of a pure components using a cubic equation of state. First and second order temperature and pressure derivatives are computed based on the number of output arguments. The residual enthalpy and entropy are obtained from the cubic equation of state

$$h^R(T, P) = RT \ln(Z - 1) + 1/((\epsilon - \sigma) b) (T da/dT - a(T)) f(Z, B)$$
$$s^R(T, P) = R \ln(Z - 1) + 1/((\epsilon - \sigma) b) da/dT f(Z, B)$$

where

$$f(Z, B) = \ln( (Z + \epsilon B) / (Z + \sigma B) )$$

The volume is obtained by solution of the cubic equation of state

$$P = RT/(V - b) - a(T)/(V^2 + 2Vb - b^2)$$
$$a(T) = \alpha(T_r, \omega) \Psi (RT_c)^2/P_c$$
$$b = \Omega RT_c/P_c$$
$$\alpha(T_r, \omega) = (1 + m(\omega) \sqrt{1 - T_r})^2$$
$$m(\omega) = m_0 + m_1 \omega + m_2 \omega^2$$
$$T_r = T/T_c$$
$$\Psi = 0.45724$$
$$\Omega = 0.07779$$

### REQUIRED PARAMETERS:

T - Temperature [K]  
P - Temperature [Pa]  
phase - 0: vapor, 1: liquid  
p - Vector with various parameters obtained by calling LoadParams  
nargout - Number of output arguments  
memaux - Auxiliary memory must be size  
nargout > 9: 15\*NC memory  
nargout > 3: 10\*NC memory  
else : 6\*NC memory

OPTIONAL PARAMETERS:

tol - Tolerance for Newton iterations (-1 for default)  
itmax - Maximum number of Newton iterations (-1 for default)

RETURNS:

h - Molar enthalpy of each component  
s - Molar entropy of each component  
v - Molar volume of each component  
dhT - 1st temperature derivative (must be size NC)  
dsT - 1st temperature derivative (must be size NC)  
dvT - 1st temperature derivative (must be size NC)  
dhP - 1st pressure derivative (must be size NC)  
dsP - 1st pressure derivative (must be size NC)  
dsP - 1st pressure derivative (must be size NC)  
d2hT - 2nd temperature derivative (must be size NC)  
d2sT - 2nd temperature derivative (must be size NC)  
d2vT - 2nd temperature derivative (must be size NC)  
d2hP - 2nd pressure derivative (must be size NC)  
d2sP - 2nd pressure derivative (must be size NC)  
d2vP - 2nd pressure derivative (must be size NC)  
d2hTP - 2nd pressure and temperature derivative (must be size NC)  
d2sTP - 2nd pressure and temperature derivative (must be size NC)  
d2vTP - 2nd pressure and temperature derivative (must be size NC)

DEPENDENCIES:

PureParams  
PureSolvePhEoS



### 43. PureSolveEoS (C)

Solve cubic equation of state for compressibility factor

#### SYNOPSIS:

```
PureSolveEoS(T, P, p, tol, itmax, nargout, memaux,  
             Zv,                Zl  
             dZvT, dZvP,        dZlT, dZlP,  
             d2ZvT, d2ZvP, d2ZvTP, d2ZlT, d2ZlP, d2ZlTP);
```

#### DESCRIPTION:

Solves a cubic equation of state

$$P = RT/(V - b) - a(T)/((V + \epsilon b)(V + \sigma b))$$

for the compressibility factor. Other functions are

$$\begin{aligned} a(T) &= \alpha(\text{Tr}, \omega) \text{Psi} (RT_c)^2/P_c \\ b &= \Omega RT_c/P_c \\ \alpha(\text{Tr}, \omega) &= (1 + m(\omega)*\sqrt{1 - \text{Tr}})^2 \\ m(\omega) &= m_0 + m_1 \omega + m_2 \omega^2 \\ \text{Tr} &= T/T_c \end{aligned}$$

#### REQUIRED PARAMETERS:

```
T          - Temperature [K]  
P          - Pressure [Pa]  
p          - Vector with various parameters obtained by calling LoadParams  
nargout    - Number of output arguments  
memaux     - Auxiliary memory must be size  
             nargout > 3: 4*NC memory  
             nargout > 1: 3*NC memory  
             else       : 2*NC memory
```

#### OPTIONAL PARAMETERS:

```
tol        - Tolerance for Newton iterations (-1 for default)  
itmax     - Maximum number of Newton iterations (-1 for default)
```

#### RETURNS:

```
Zv        - Compressibility factor  
Zl        - Compressibility factor  
dZvT     - 1st temperature derivatives (must be size NC)  
dZvP     - 1st pressure derivatives (must be size NC)  
dZlT     - 1st temperature derivatives (must be size NC)  
dZlP     - 1st pressure derivatives (must be size NC)  
d2ZvT    - 2nd temperature derivatives (must be size NC)  
d2ZvP    - 2nd pressure derivatives (must be size NC)
```

d2ZvTP - 2nd temperature and pressure derivatives (must be size NC)  
d2Z1T - 2nd temperature derivatives (must be size NC)  
d2Z1P - 2nd pressure derivatives (must be size NC)  
d2Z1TP - 2nd temperature and pressure derivatives (must be size NC)

DEPENDENCIES:

PureParams  
SolvePolynomiumNewton

#### 44. PureSolvePhEoS (C)

Solve cubic equation of state for compressibility factor

##### SYNOPSIS:

```
PureSolvePhEoS(T, P, phase, p, tol, itmax, nargout, memaux,  
Z,  
dZT, dZP,  
d2ZT, d2ZP, d2ZTP);
```

##### DESCRIPTION:

Solves a cubic equation of state

$$P = RT/(V - b) - a(T)/((V + \epsilon b)(V + \sigma b))$$

for the compressibility factor. Other functions are

$$\begin{aligned} a(T) &= \alpha(\text{Tr}, \omega) \text{Psi} (RT_c)^2/P_c \\ b &= \Omega RT_c/P_c \\ \alpha(\text{Tr}, \omega) &= (1 + m(\omega)*\sqrt{1 - \text{Tr}})^2 \\ m(\omega) &= m_0 + m_1 \omega + m_2 \omega^2 \\ \text{Tr} &= T/T_c \end{aligned}$$

##### REQUIRED PARAMETERS:

T - Temperature [K]  
P - Pressure [Pa]  
phase - 0: vapor, 1: liquid  
p - Vector with various parameters obtained by calling LoadParams  
nargout - Number of output arguments  
memaux - Auxiliary memory must be size  
nargout > 3: 4\*NC memory  
nargout > 1: 3\*NC memory  
else : 2\*NC memory

##### OPTIONAL PARAMETERS:

tol - Tolerance for Newton iterations (-1 for default)  
itmax - Maximum number of Newton iterations (-1 for default)

##### RETURNS:

Z - Compressibility factor  
dZT - 1st temperature derivatives (must be size NC)  
dZP - 1st pressure derivatives (must be size NC)  
d2ZT - 2nd temperature derivatives (must be size NC)  
d2ZP - 2nd pressure derivatives (must be size NC)  
d2ZTP - 2nd temperature and pressure derivatives (must be size NC)

DEPENDENCIES:

PureParams

SolvePolynomiumNewton

#### 45. PureIdHSV (C)

Compute pure component molar vapor and liquid enthalpy, entropy and volume

##### SYNOPSIS:

```
PureIdHSV(T, P, p, nargout, memaux,  
  hv, sv, vv, hl, sl, vl,  
  dhvT, dsvT, dvvT,  
    dsvP, dvvP  
  dh1T, ds1T, dv1T,  
  dh1P, ds1P,  
  d2hvT, d2svT,  
    d2svP, d2vvP,  
      d2vvTP,  
  d2h1T, d2s1T, d2v1T,  
  d2h1TP, d2s1TP);
```

##### DESCRIPTION:

Computes molar enthalpy, entropy and volume of a set of pure components together with first and second order temperature and pressure derivatives. Derivatives are computed based on the number of output arguments.

Certain derivatives are not returned by this routine because they are zero (e.g. pressure derivative of volume  $d/dP v^l = 0$ )

##### REQUIRED PARAMETERS:

```
T          - Temperature [K]  
P          - Temperature [Pa]  
p          - Vector with various parameters obtained by calling LoadParams  
nargout    - Number of output arguments  
memaux     - Auxiliary memory must be size  
              nargout > 16: 19*NC memory  
              nargout > 6: 17*NC memory  
              else       : 11*NC memory
```

##### RETURNS:

```
hv         - Molar enthalpy of each component (must be size NC)  
sv         - Molar entropy of each component (must be size NC)  
vv         - Molar volume of each component (must be size NC)  
hl         - Molar enthalpy of each component (must be size NC)  
sl         - Molar entropy of each component (must be size NC)  
vl         - Molar volume of each component (must be size NC)  
dhvT      - 1st temperature derivative (must be size NC)  
dsvT      - 1st temperature derivative (must be size NC)  
dvvT      - 1st temperature derivative (must be size NC)
```

dsvP - 1st pressure derivative (must be size NC)  
 dvvP - 1st pressure derivative (must be size NC)  
 dh1T - 1st temperature derivative (must be size NC)  
 ds1T - 1st temperature derivative (must be size NC)  
 dv1T - 1st temperature derivative (must be size NC)  
 dh1P - 1st pressure derivative (must be size NC)  
 ds1P - 1st pressure derivative (must be size NC)  
 d2hvT - 2nd temperature derivative (must be size NC)  
 d2svT - 2nd temperature derivative (must be size NC)  
 d2svP - 2nd pressure derivative (must be size NC)  
 d2vvP - 2nd pressure derivative (must be size NC)  
 d2vvTP - 2nd pressure and temperature derivative (must be size NC)  
 d2h1T - 2nd temperature derivative (must be size NC)  
 d2s1T - 2nd temperature derivative (must be size NC)  
 d2v1T - 2nd temperature derivative (must be size NC)  
 d2h1TP - 2nd pressure and temperature derivative (must be size NC)  
 d2s1TP - 2nd pressure and temperature derivative (must be size NC)

DEPENDENCIES:

IdLiqVol  
 IdSatPres  
 IdGasHeatCap  
 IdGasHeatCapInt

## 46. PureIdVapHSV (C)

Compute pure component molar vapor enthalpy, entropy and volume

### SYNOPSIS:

```
PureIdVapHSV(T, P, p, nargout, memaux,  
             hv,   sv,   vv,  
             dhvT, dsvT, dvvT,  
               dsvP, dvvP  
             d2hvT, d2svT,  
               d2svP, d2vvP,  
               d2vvTP);
```

### DESCRIPTION:

Computes molar enthalpy, entropy and volume of a set of pure components using the ideal gas law and DIPPR correlations. First and second order temperature and pressure derivatives are computed based on the number of output arguments.

Certain derivatives are not returned by this routine because they are zero (e.g. pressure derivative of enthalpy  $d/dP \hat{h}^v$ )

### REQUIRED PARAMETERS:

```
T           - Temperature [K]  
P           - Temperature [Pa]  
p           - Vector with various parameters obtained by calling LoadParams  
nargout     - Number of output arguments  
memaux      - Auxiliary memory must be size  
              nargout > 8: 4*NC memory  
              nargout > 3: 3*NC memory  
              else       : 2*NC memory
```

### RETURNS:

```
hv          - Molar enthalpy of each component (must be size NC)  
sv          - Molar entropy of each component (must be size NC)  
vv          - Molar volume of each component (must be size NC)  
dhvT       - 1st temperature derivative (must be size NC)  
dsvT       - 1st temperature derivative (must be size NC)  
dvvT       - 1st temperature derivative (must be size NC)  
dsvP       - 1st pressure derivative (must be size NC)  
dvvP       - 1st pressure derivative (must be size NC)  
d2hvT      - 2nd temperature derivative (must be size NC)  
d2svT      - 2nd temperature derivative (must be size NC)  
d2svP      - 2nd pressure derivative (must be size NC)  
d2vvP      - 2nd pressure derivative (must be size NC)  
d2vvTP     - 2nd pressure and temperature derivative (must be size NC)
```

DEPENDENCIES:

IdGasHeatCap

IdGasHeatCapInt



## 47. PureIdLiqHSV (C)

Compute pure component molar liquid enthalpy, entropy and volume

### SYNOPSIS:

```
PureIdLiqHSV(T, P, p, nargout, memaux,  
             hl,    sl,    vl,  
             dh1T,  ds1T,  dv1T,  
             dh1P,  ds1P,  
             d2h1T, d2s1T, d2v1T,  
             d2h1TP, d2s1TP);
```

### DESCRIPTION:

Computes molar enthalpy, entropy and volume of a set of pure components together with first and second order temperature and pressure derivatives. Derivatives are computed based on the number of output arguments.

Certain derivatives are not returned by this routine because they are zero (e.g. pressure derivative of volume  $d/dP v^l = 0$ )

### REQUIRED PARAMETERS:

```
T          - Temperature [K]  
P          - Temperature [Pa]  
p          - Vector with various parameters obtained by calling LoadParams  
nargout    - Number of output arguments  
memaux     - Auxiliary memory must be size  
              nargout > 8: 19*NC memory  
              nargout > 3: 17*NC memory  
              else       : 11*NC memory
```

### RETURNS:

```
hl         - Molar enthalpy of each component (must be size NC)  
sl         - Molar entropy of each component (must be size NC)  
vl         - Molar volume of each component (must be size NC)  
dh1T       - 1st temperature derivative (must be size NC)  
ds1T       - 1st temperature derivative (must be size NC)  
dv1T       - 1st temperature derivative (must be size NC)  
dh1P       - 1st pressure derivative (must be size NC)  
ds1P       - 1st pressure derivative (must be size NC)  
d2h1T      - 2nd temperature derivative (must be size NC)  
d2s1T      - 2nd temperature derivative (must be size NC)  
d2v1T      - 2nd temperature derivative (must be size NC)  
d2h1TP     - 2nd pressure and temperature derivative (must be size NC)  
d2s1TP     - 2nd pressure and temperature derivative (must be size NC)
```

DEPENDENCIES:

IdLiqVol

IdSatPres

IdGasHeatCap

IdGasHeatCapInt

#### 48. MixParams (C)

Compute van der Waals mixing rules  $a_m(T, n)$  and  $b_m(n)$

##### SYNOPSIS:

```
MixParams(T, n, p, nargout, memaux,  
          am, bm,  
          damT, damn, dbmn,  
          d2amT, d2amTn, d2amn, d2bmn,  
          d3amT, d3amT2n, d3amTn2);
```

##### DESCRIPTION:

Computes the van der Waals mixing parameters  $a_m(T, n)$  and  $b_m(n)$  based on the pure component properties  $a_i(T)$  and  $b_i$

$$\begin{aligned} a_m(T, n) &= \sum_{i=1}^{N_C} \sum_{j=1}^{N_C} x_i x_j a_{ij}(T) \\ b_m(n) &= \sum_{i=1}^{N_C} x_i b_{ij} \\ a_{ij}(T) &= (1 - k_{ij}) \sqrt{a_i(T) a_j(T)} \\ x_i &= n_i / \sum_{j=1}^{N_C} n_j \end{aligned}$$

The computations of derivatives are only computed if requested as output.

##### REQUIRED PARAMETERS:

```
T          - Temperature [K]  
n          - mole numbers [kmol]  
p          - Vector with various parameters obtained by calling LoadParams  
nargout    - Number of output arguments  
memaux     - Auxiliary memory must be size  
              nargout > 9: 10*NC memory  
              nargout > 5: 8*NC memory  
              nargout > 2: 6*NC memory  
              else       : 4*NC memory
```

##### RETURNS:

```
am         - Mixing rule parameter (scalar)  
bm         - Mixing rule parameter (scalar)  
damT       - 1st temperature derivative (scalar)  
damn       - 1st composition derivatives (must be size NC)  
dbmn       - 1st composition derivative of (must be size NC)  
d2amT      - 2nd temperature derivative (scalar)  
d2amTn     - 2nd temperature and composition derivatives (must be size NC)  
d2amn      - 2nd composition derivatives (must be size NC*NC)  
d2bmn      - 2nd composition derivatives of (must be size NC*NC)  
d3amT      - 3rd temperature derivative (scalar)  
d3amT2n    - 3rd temperature (x2) and composition derivatives (must be size NC)
```

d3amTn2 - 3rd temperature and composition (x2) derivatives (must be size NC\*NC)

DEPENDENCIES:

PureParams

## 49. PureParams (C)

Compute pure component parameters  $a_i(T)$  and  $b_i$

### SYNOPSIS:

```
PureParams(T, p, nargout, memaux,  
a, b,  
daT, d2aT, d3aT);
```

### DESCRIPTION:

Computes the pure component parameters  $a_i(T)$  and  $b_i$  for  $i = 1, \dots, N_C$

$a_i(T)$	=	$\alpha(\text{Tr}, \omega) \text{Psi} (RT_c)^2/P_c$
$b_i$	=	$\Omega RT_c/P_c$
$\alpha(\text{Tr}, \omega)$	=	$(1 + m(\omega) \sqrt{1 - \text{Tr}})^2$
$m(\omega)$	=	$m_0 + m_1 \omega + m_2 \omega^2$
$\text{Tr}$	=	$T/T_c$

The computations of derivatives are only computed if requested as output.

### REQUIRED PARAMETERS:

T	-	Temperature [K]
p	-	Vector with various parameters obtained by calling LoadParams
nargout	-	Number of output arguments

### RETURNS:

a	-	Pure component parameter (must have size NC)
b	-	Pure component parameter (must have size NC)
daT	-	1st temperature derivative (must have size NC)
d2aT	-	2nd temperature derivative (must have size NC)
d3aT	-	3rd temperature derivative (must have size NC)

## 50. SolvePolynomiumNewton (C)

Solve cubic equation iteratively

### SYNOPSIS:

```
SolvePolynomiumNewton(d2, d1, d0, tol, itmax,  
Z);
```

### DESCRIPTION:

Solves the cubic equation

$$q(Z) = Z^3 + d2 Z^2 + d1 Z + d0 = 0$$

using an iterative Newton approach. The approach is terminated when

$$|q(Z)| < tol \quad \text{and} \quad |\Delta Z| = |q(Z)/q'(Z)| < tol.$$

### REQUIRED PARAMETERS:

d2 - Quadratic coefficient (scalar)  
d1 - Linear coefficient (scalar)  
d0 - Constant coefficient (scalar)  
tol - Tolerance for stopping criteria (scalar)  
itmax - Maximum number of iterations (scalar)  
Z - On input: initial guess for Z (scalar)

### RETURNS:

Z - A single real root of the cubic equation (scalar)

## 51. IdGasHeatCap (C)

Compute ideal gas heat capacity

SYNOPSIS:

```
IdGasHeatCap(T, p, nargout,  
             cp, dcp);
```

DESCRIPTION:

Computes ideal gas heat capacity using the DIPPR correlation

$$c_{P,k}^{ig}(T) = A_k + B_k((C_k/T)/\sinh(C_k/T))^2 + D_k((E_k/T)/\cosh(E_k/T))^2$$

and the first order derivative

REQUIRED PARAMETERS:

T           - Temperature, [K]  
params      - Vector with various parameters obtained by calling LoadParams  
nargout     - Number of output arguments

RETURNS:

cp         - Ideal gas heat capacity of each component (must have size NC)  
dcp        - First temperature derivative (must have size NC)

## 52. IdGasHeatCapInt (C)

Compute integrals of ideal gas heat capacity

### SYNOPSIS:

```
IdGasHeatCapInt(T, p, nargout,  
intcp, intcpT);
```

### DESCRIPTION:

Computes the following integrals of the ideal gas heat capacity

$$\int_{T_0}^T c_{P,k}^{ig}(\tau) \, d\tau$$
$$\int_{T_0}^T c_{P,k}^{ig}(\tau) / \tau \, d\tau$$

where ideal gas heat capacity is defined by the DIPPR correlation

$$c_{P,k}^{ig}(T) = A_k + B_k((C_k/T)/\sinh(C_k/T))^2$$
$$- D_k((E_k/T)/\cosh(E_k/T))^2$$

### REQUIRED PARAMETERS:

T           - Temperature, [K]  
p           - Vector with various parameters obtained by calling LoadParams  
nargout     - Number of output arguments

### RETURNS:

intcp   - Integral of cp from T0 to T (must have size NC)  
intcpT  - Integral of cp/T from T0 to T (must have size NC)



### 53. IdLiqVol (C)

Compute liquid volume

SYNOPSIS:

```
IdLiqVol(T, p, nargout,  
         v1, dv1, d2v1, d3v1);
```

DESCRIPTION:

Computes liquid volume based on the DIPPR correlation

$$v_{l_k}(T) = B_k^{(1 + (1 - T/C_k)^{D_k})/A_k}$$

The first, second and third order temperature derivatives are computed depending on the number of output arguments.

NOTE:

The DIPPR correlation is not limited to ideal substances as the name suggests but in this thermodynamic library it is only applied in the computation of ideal liquid properties.

REQUIRED PARAMETERS:

T           - Temperature [K]  
p           - Vector with various parameters obtained by calling LoadParams  
nargout     - Number of output arguments

RETURNS:

v1         - Liquid volumes for each component, [m<sup>3</sup>], (must have size NC)  
dv1        - First temperature derivative (must have size NC)  
d2v1       - Second temperature derivative (must have size NC)  
d3v1       - Third temperature derivative (must have size NC)

#### 54. IdSatPres (C)

Compute saturation pressure

SYNOPSIS:

```
IdSatPres(T, p, nargout,  
          Psat, dPsat, d2Psat, d3Psat);
```

DESCRIPTION:

Computes saturation pressure using the DIPPR correlation

$$\ln Psat_k = A_k + B_k/T + C_k \ln(T) + D_k T^E_k$$

The first, second and third order temperature derivatives are computed depending on the number of output arguments.

NOTE:

The DIPPR correlation is not limited to ideal substances as the name suggests but in this thermodynamic library it is only applied in the computation of ideal liquid properties.

REQUIRED PARAMETERS:

T           - Temperature [K]  
p           - Vector with various parameters obtained by calling LoadParams  
nargout     - Number of output arguments

RETURNS:

Psat       - Vapor pressures for each component, [Pa], (must have size NC)  
dPsat      - First temperature derivative (must have size NC)  
d2Psat     - Second temperature derivative (must have size NC)  
d3Psat     - Third temperature derivative (must have size NC)